

Yarim o'tkazgichlar

Reja:

1. O'tkazgichlar, dielektriklar va yarimo'tkazgichlar
2. Yarimo'tkazgichlarning xususiy o'tkazuvchanligi
3. Aralashmali o'tkazuvchanlik
4. Yarimo'tkazgichlarning elektr sxemalari: diod, tranzistorlar

Metallarda erkin elektronlar konsentrasiyasi juda katta ($10^{22} - 10^{23} \text{ sm}^{-3}$). Shu sababli ularning elektr qarshiligi kichkina.

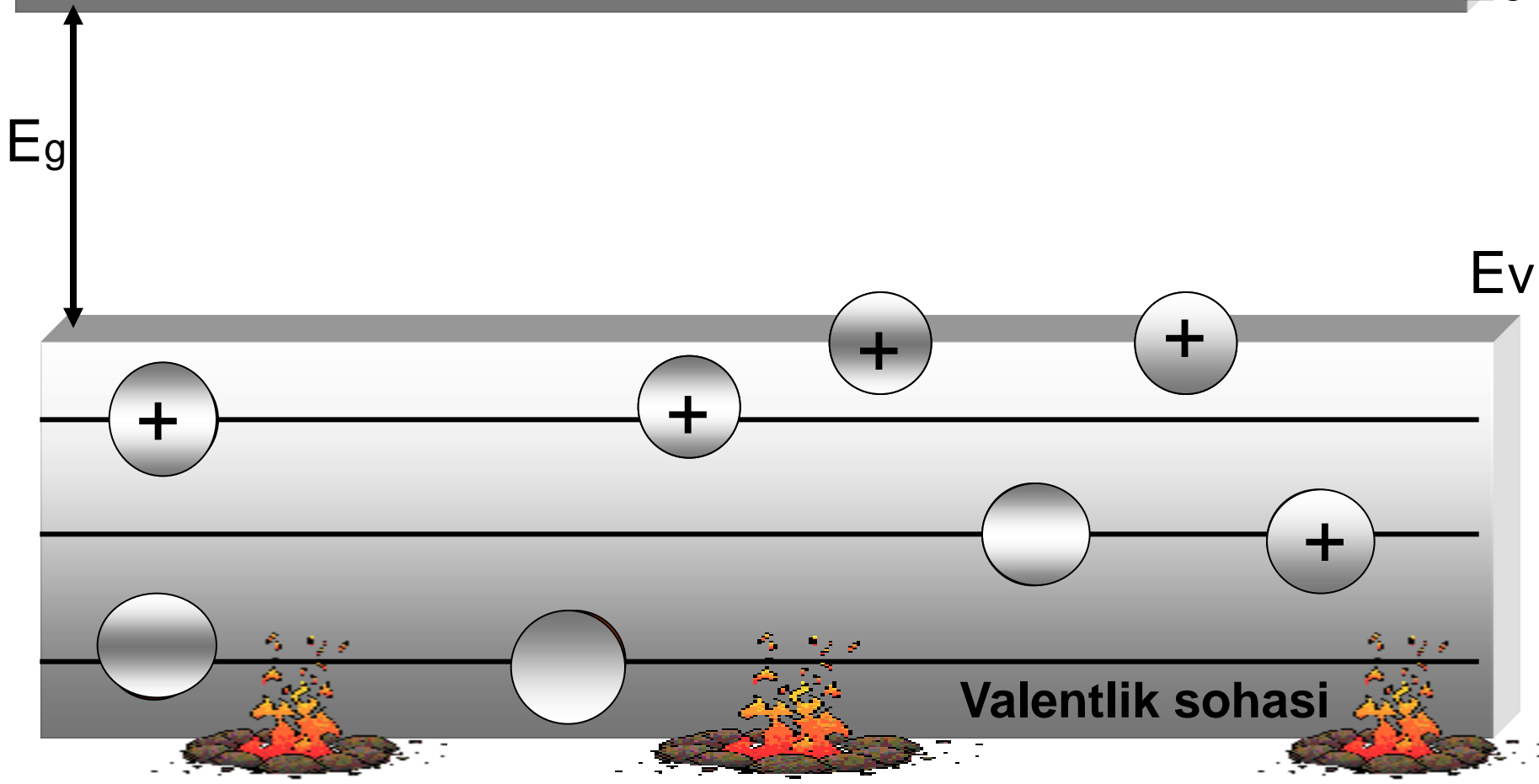
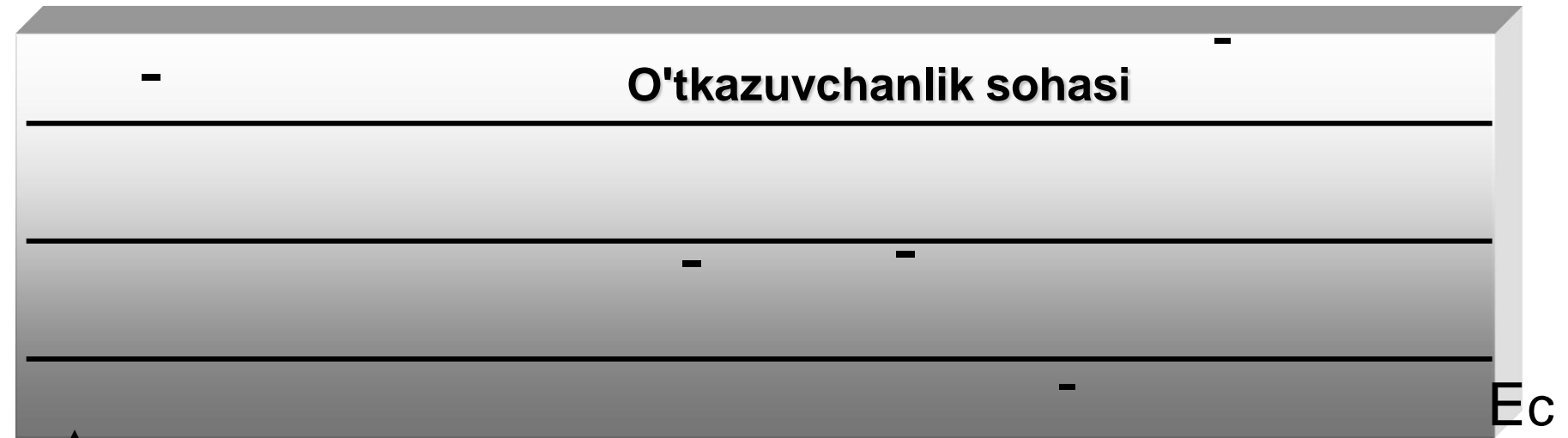
Dielektrlarda erkin elektronlar konsentrasiyasi kam ($n \leq 10^{14} \text{ sm}^{-3}$), elektr qarshiligi esa juda katta. Elektr qarshiligi nisbatan yarim o'tkazgichlar metall va dielektrlar o'rtasida oraliq holatni egallaydi.

Metallardan farqli ravishda yarim o'tkazgichlarning solishtirma qarshiligi temperatura ortishi bilan kamayadi.

Yuqori darajada tozalangan kremniy tarkibida kirishmalarning atom ulushi.

Kirishmalar	Mumkin bo'lgan miqdori, %
<i>Al</i>	$1 \cdot 10^{-7}$
<i>B</i>	$1 \cdot 10^{-7}$
<i>H</i>	$1 \cdot 10^{-3}$
<i>Fe</i>	$1 \cdot 10^{-7}$
<i>O</i>	$1 \cdot 10^{-7}$
<i>Mg</i>	$1 \cdot 10^{-7}$
<i>Mn</i>	$1 \cdot 10^{-7}$
<i>Cu</i>	$1 \cdot 10^{-8}$
<i>Pb</i>	$1 \cdot 10^{-7}$
<i>Ag</i>	$1 \cdot 10^{-7}$
<i>P</i>	$1 \cdot 10^{-8}$
<i>Zn</i>	$1 \cdot 10^{-8}$

Kimyoviy jihatdan toza yarim o'tkazgichlar xususiy yarim o'tkazgichlar deb ataladi. Ularga bir qator kimyoviy toza elementlar (germaniy-**Ge**, kremniy-**Si**, selen-**Se**, tellur-**Te**) va kimyoviy birikmalar (galliy arsenidi- **GaAs**, indiy arsenidi-**InAs**, indiy antimonidi - **InSb**, Karbid kremniy-**SiC** va xokazolar) kiradi.

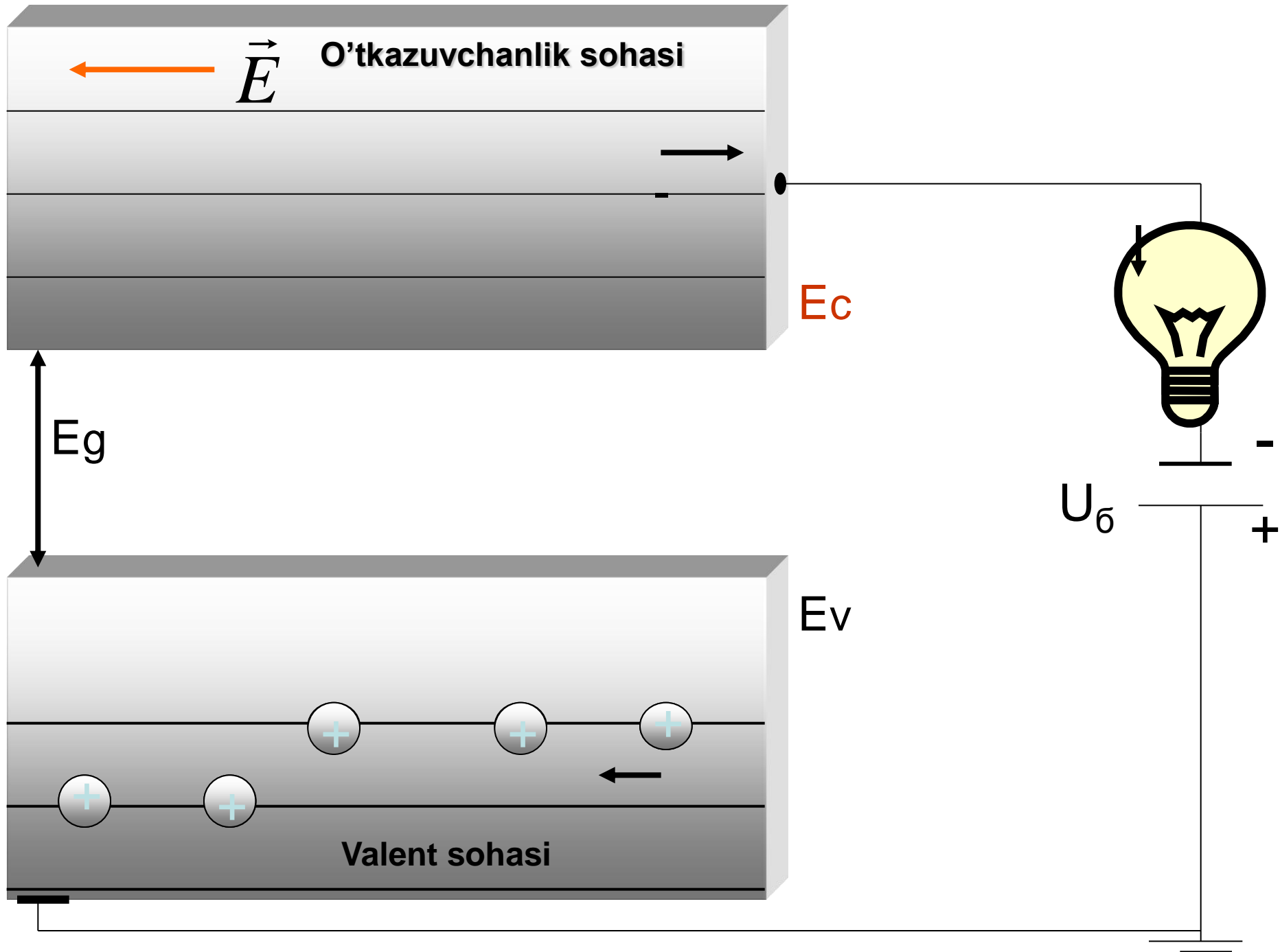


Taqiqlangan soha kengligi $E_g=0.66$ eV. **Germaniy** uchun uy temperaturasida $t=250$ C, o'tkazuvchanlik sohasidagi elektron gaz konsentratsiyasi $n_i \approx 10^{19}$ m⁻³, solishtirma qarshiligi $\rho_i=0.48$ Om m ga teng bo'ladi.

Taqiqlangan sohaning kengligi $E_g=5.2$ eV ga teng bo'lgan **olmos** uy temperaturasida $t=250$ C o'tkazuvchanlik sohasida elektronlar konsentratsiyasi $n_i \approx 10^7$ m⁻³ ga, solishtirma qarshiligi $\rho_i=10^8$ Om m ga teng bo'ladi.

Ammo temperatura 600 K ga teng bo'lishi bilan elektron gazning konsentratsiyasi olmosda bir necha tartibga ortadi, solishtirma qarshiligi esa $0,5$ Om m ga teng bo'ladi.

- Yuqoridagilardan quyidagi ikkita muhim xulosa kelib chiqadi:
- 1. Yarim o'tkazgichlarning o'tkazuvchanligi valent sohadagi elektronlarga o'tkazuvchanlik sohasiga o'tish uchun yetarli bo'lgan energiyani beruvchi tashqi kuchlar ta'sirida paydo bo'ladi. Shuning uchun yarim o'tkazgichlar o'tkazuvchanligi qo'zg'atilgan o'tkazuvchanlikdan iboratdir;
- 2. Qattiq jismlarni yarimo'tkazgichlar va dielektrlarga bo'linishi ma'lum bir hisobda shartli xarakterga egadir. O'y haroratida dielektrik xususiyatiga ega bo'lgan olmos yuqori temperaturalarda sezilarli o'tkazuvchanlikka ega bo'lib, yarim o'tkazgich xususiyatini oladi.

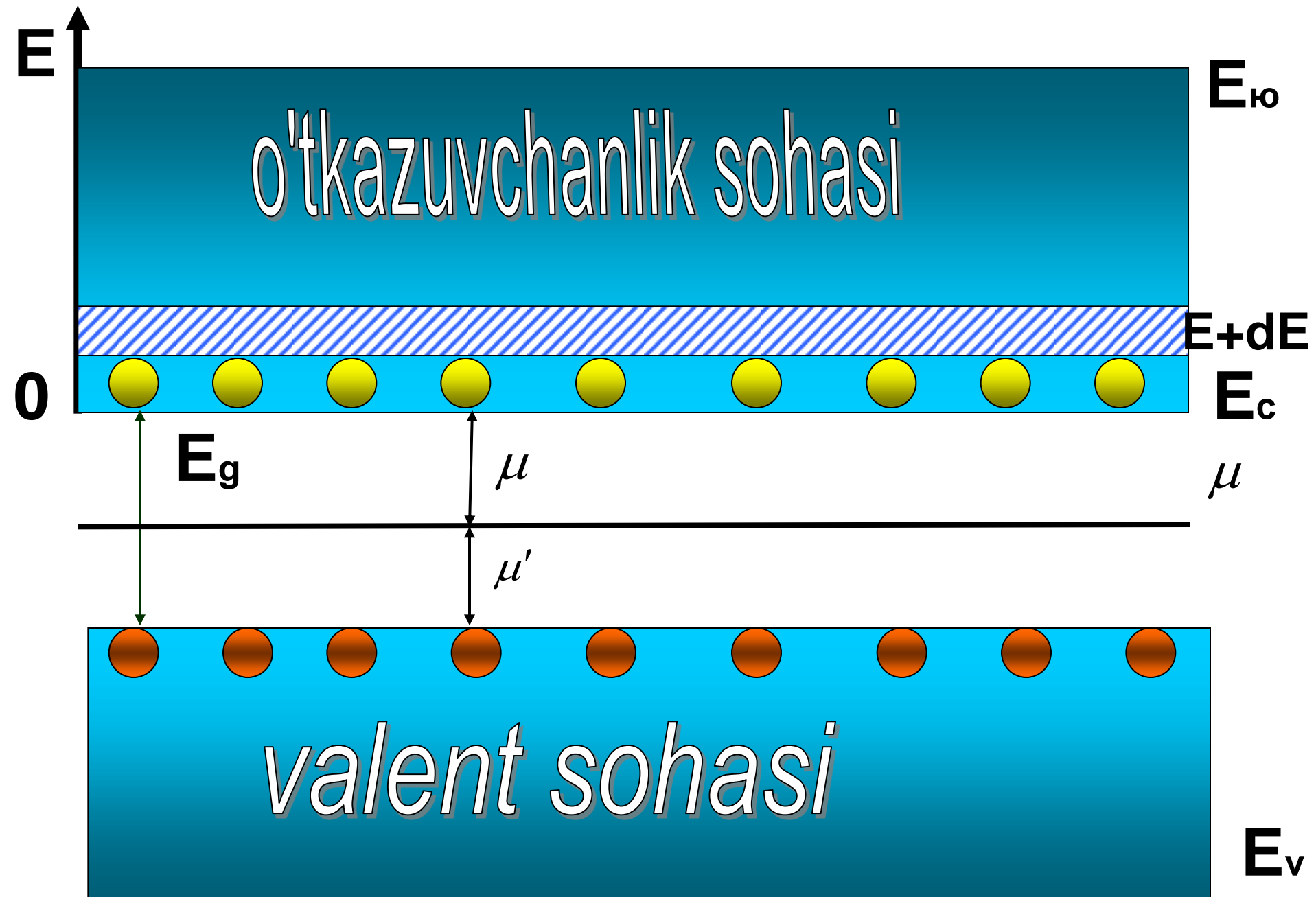


$$\vec{I} = q\vec{v}_s, \quad (1)$$

Yarim- o'tkazgichlar				Effektiv massalar	
				Elektronmn	Kovak mp
Indiy Antimonidi	0.17	1.41022	6 10 ⁻⁵	0.015m	0.18m
Germaniy	0.66	3 10 ¹⁹	0.48	0.56m	0.59m
Kremniy	1.12	10 ¹⁶	2 10 ³	1.08m	0.37m

Erkin zaryad tashuvchilar kontsenratsiyasining Fermi sathi holatiga bog'liqligi

- Yarim o'tkazgichlarda erkin zaryad tashuvchi gazning xususiyatlarini belgilovchi asosiy parametrlardan biri μ -kimyoviy potentsialdir. Bu iborani elektron va kovakli gaz uchun oddiygina qilib **Fermi sathi** deyiladi.
- Bizga ma'lumki metallarda Fermi sathi o'tkazuvchanlik sohasidagi elektronlar bilan to'lgan oxirgi energetik sathdir. $T=0$ K da Fermi sathidan pastdagi hamma energetik sathlar elektronlar bilan tulgan, undan yuqoridagi energetik sathlarning barchasi bo'shdir. Metallarda elektron gazning kontsentratsiyasi o'tkazuvchanlik sohasidagi xolatlar soni bilan bir xil bo'ladi, shuning uchun bu gaz aynigan gaz hisoblanadi va elektronlarning xolatlar buyicha taqsimlanishi Fermi Dirak kvant statistikasi bilan ifodalanadi. Bunday gazdagi elektronlarning kontsentratsiyasi temperaturaga deyarli bog'liq emas.



Yuqoridagi rasmda xususiy yarim o'tkazgich keltirilgani sababli elektron gazi aynimagan bo'lganligi uchun Maksvell-Boltsman taqsimotiga asoslanib dE energiya oralig'idagi egallagan dn - elektronlar kontsentratsiyasini hisoblashga harakat qilamiz:

$$N(E)dE = f(E)g(E)dE \quad (2)$$

$$f_{M.B.}(E) = e^{\frac{\mu-E}{kT}} \quad (3)$$

$$f_{M.B.}(E) = \frac{N}{V} \left(\frac{h^2}{2\pi mkT} \right)^{\frac{3}{2}} e^{-\frac{E}{kT}} \quad (4)$$

$$g(E)dE = \frac{4\pi V}{h^3} (2m)^{\frac{3}{2}} \sqrt{E} dE \quad (5)$$

$$dn = \frac{4\pi}{h^3} (2m)^{\frac{3}{2}} e^{\frac{\mu-E}{kT}} \sqrt{E} dE \quad (6)$$

$$-E_g = \mu + \mu' \quad \mu' = -(E_g + \mu) \quad (7)$$

$$n = 4\pi \left(\frac{2m_n}{h^2} \right)^{\frac{3}{2}} e^{\frac{\mu}{kT}} \int_0^{E_{ro}} e^{-\frac{E}{kT}} \sqrt{E} dE \quad (8)$$

E ortishi bilan $e^{-\frac{E}{kT}}$ funksiyasi juda tez kamayib borishini e'tiborga olib integrallash chegarasini **0** dan ∞ gacha deb olish mumkin.

$$n = 4\pi \left(\frac{2m_n}{h^2} \right)^{\frac{3}{2}} e^{\frac{\mu}{kT}} \int_0^{\infty} e^{-\frac{E}{kT}} \sqrt{E} dE \quad (9)$$

$$n = 2 \left(\frac{2\pi m_n kT}{h^2} \right)^{\frac{3}{2}} e^{\frac{\mu}{kT}} \quad (10)$$

$$p = 2 \left(\frac{2\pi m_p kT}{h^2} \right)^{\frac{3}{2}} e^{\frac{-(E_g + \mu)}{kT}} \quad (11)$$

(10) va (11) ifodalarda m_n va m_p elektron va kovaklarning effektiv massalaridir.

$$np = n_i p_i = 4 \left(\frac{2\pi kT}{h^2} \right)^3 (m_n m_p)^{\frac{3}{2}} e^{-\frac{E_g}{kT}} \quad (12)$$

$$n_i = p_i \quad (13)$$

$$2 \left(\frac{2\pi m_n kT}{h^2} \right)^{\frac{3}{2}} e^{\frac{\mu}{kT}} = 2 \left(\frac{2\pi m_p kT}{h^2} \right)^{\frac{3}{2}} e^{-\frac{E_g + \mu}{kT}}$$

Bu ifodani μ ga nisbatan yechib, xususiy yarim o'tkazgichning Fermi sathining holatini aniqlaymiz:

$$\mu = -\frac{E_g}{2} + \frac{3}{4} kT \ln \frac{m_p}{m_n}$$

T=0 K bo'lgan xolda

$$\mu = -\frac{E_g}{2}$$

ga teng, Fermi sathi taqiqlangan sohaning qoq o'rtasida joylashadi.

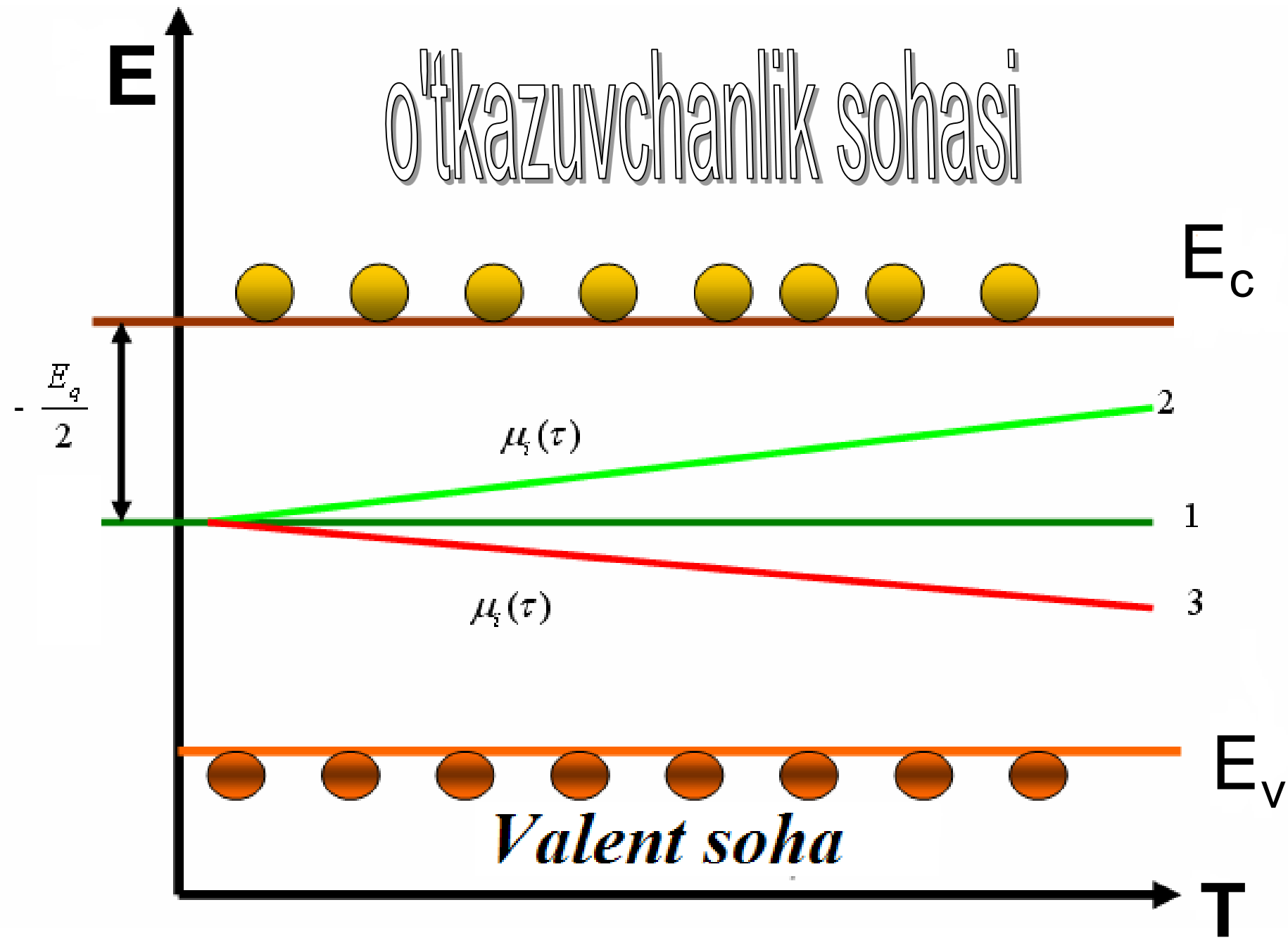
Fermi sathining qiymatini (10) va (11) ifodalarga qo'ysak, xususiy yarim o'tkazgichlardagi elektron va kovaklar kontsentratsiyasini aniqlashimiz mumkin:

$$n_i = p_i = 2 \left(\frac{2\pi \sqrt{m_n m_p} kT}{h^2} \right)^{\frac{3}{2}} e^{-\frac{E_g}{2kT}} \quad (15)$$

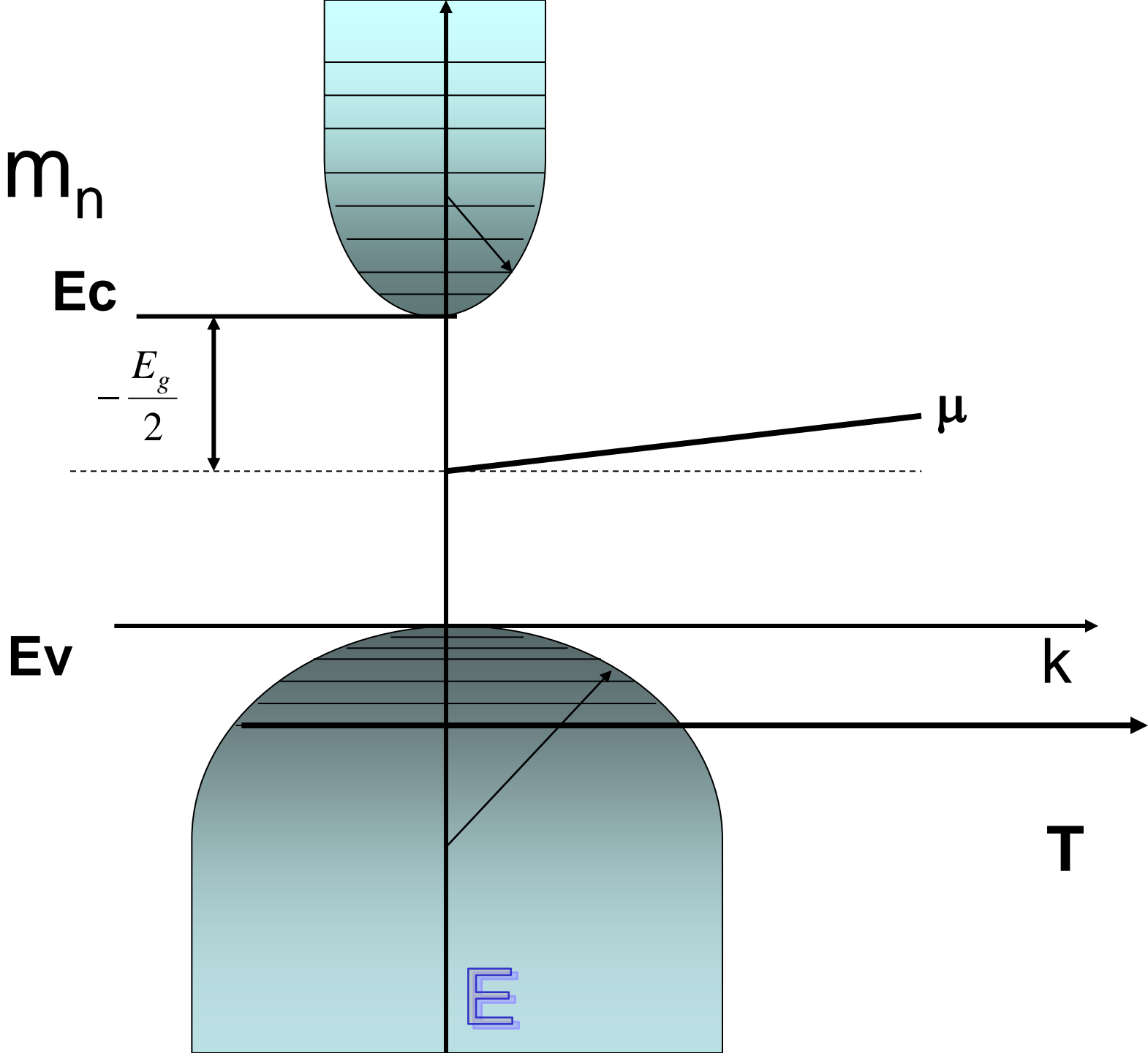
Ular taqiqlangan soha kengligi va temperaturaga bog'liqdir. Xususiy yarim o'tkazgichlarda belgilangan biror T temperatura uchun elektron va kovak kontsentratsiyasining ko'paytmasi o'zgarmas kattalikdir

$$n_n \cdot n_p = n_i^2 \quad (16)$$

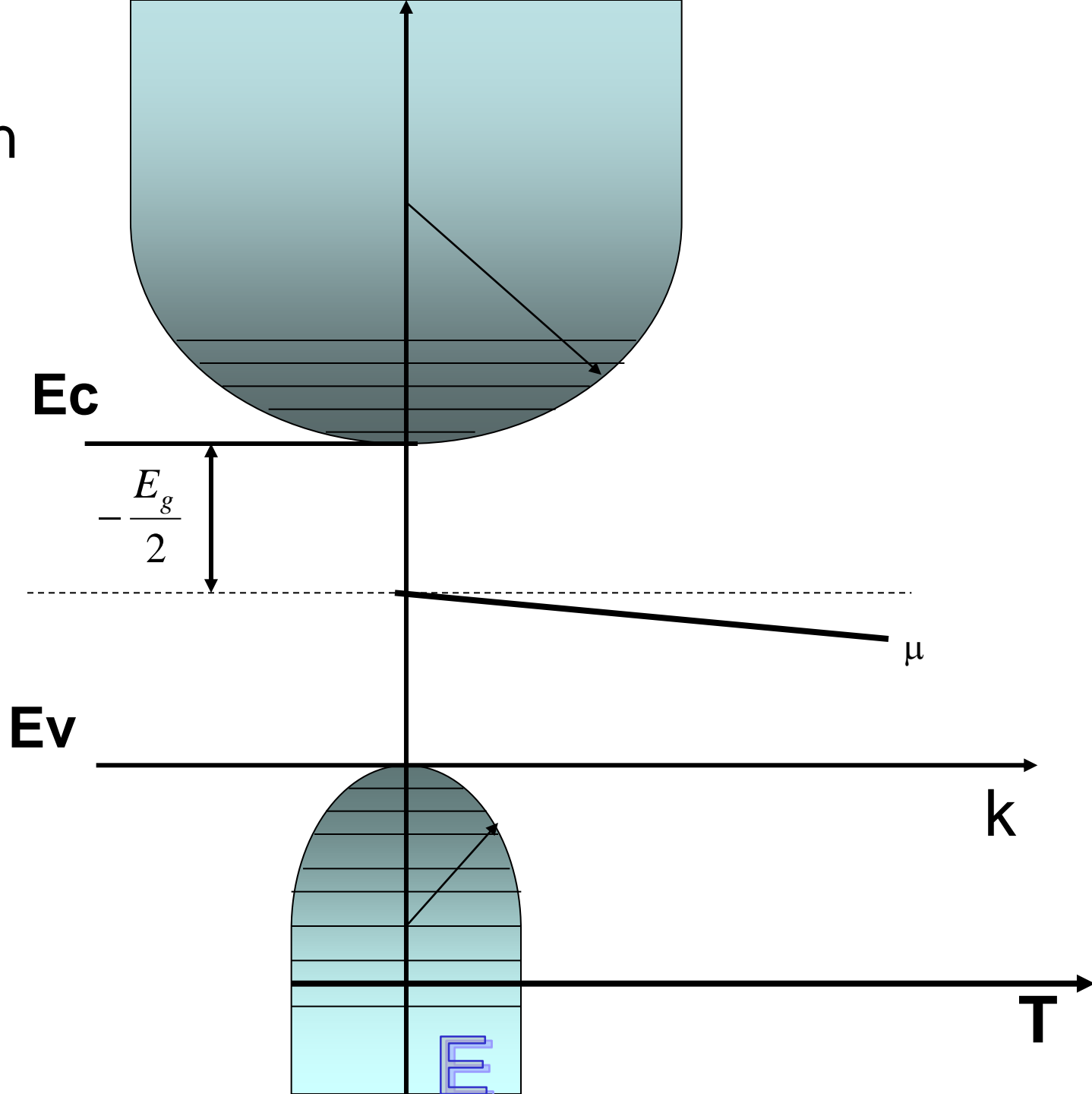
o'tkazuvchanlik sohasi



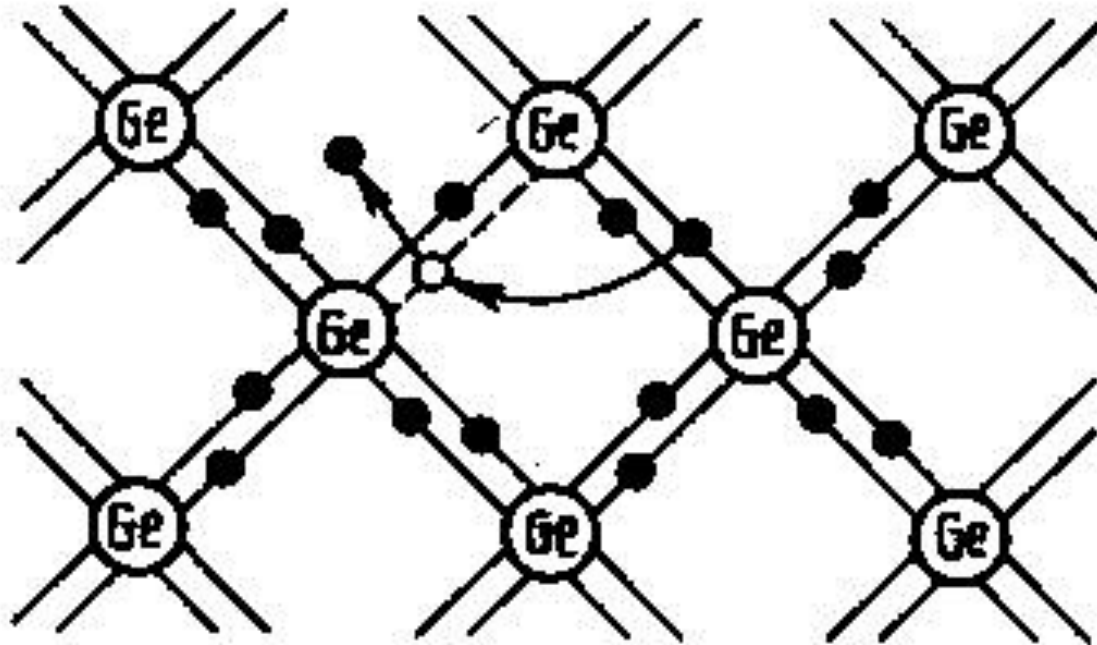
• $m_p > m_n$



• $m_p < m_n$



Germaniy kristalida atomlarning joylanishi



Xususiy yarim o'tkazgichlarning elektr o'tazuvchanligi

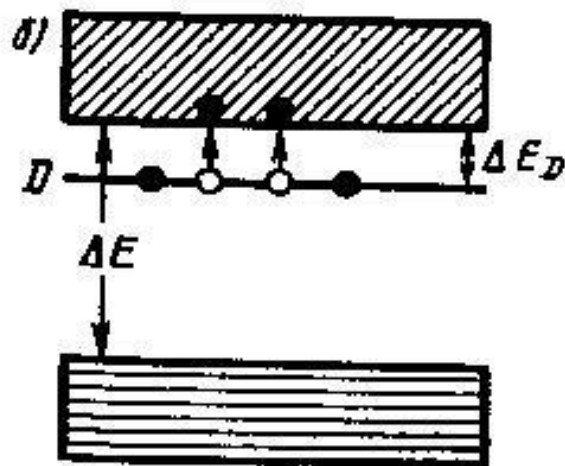
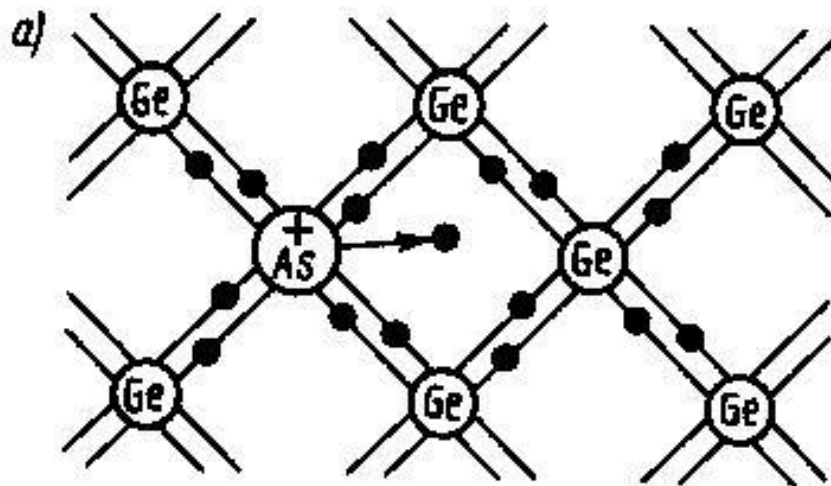
Kirishmalardan yuqori darajada tozalangan yarim o'tkazgichlar juda past bo'lmagan temperaturalarda, quyilgan tashqi elektr maydon ta'sirida o'zining xususiy zaryad tashuvchilari – elektronlar va kovaklarning yo'naltirilgan harakati hisobiga elektr o'tkazuvchanlikki ega bo'ladi. Ushbu elektr o'tkazuvchanlik yarim o'tkazgichlarning **xususiy o'tkazuvchanligi** deyiladi.

$$n_i = p_i$$

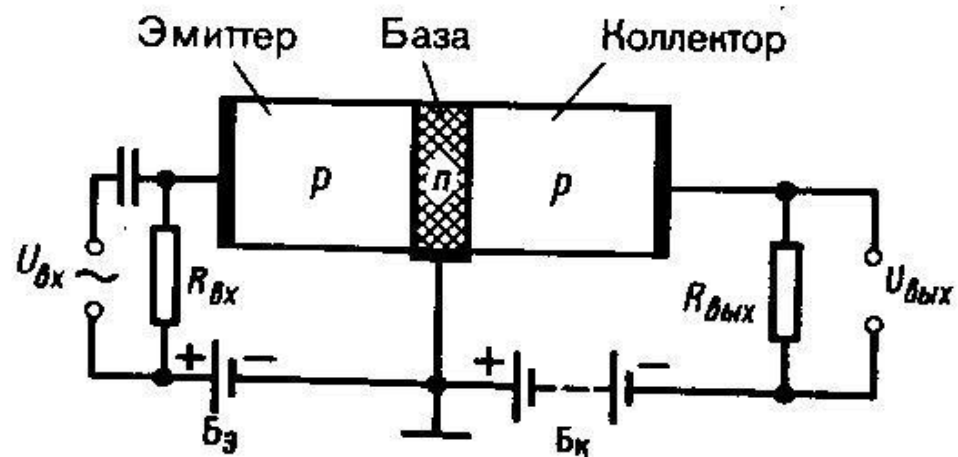
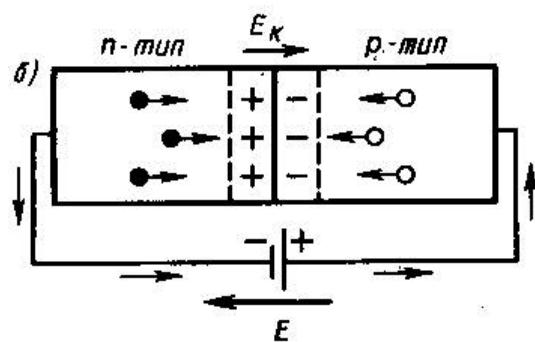
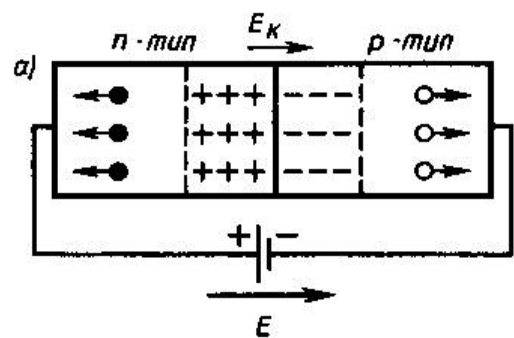
sharti bajarilganligi uchun xususiy yarim o'tkazgichning o'tkazuvchanligi quyidagiga teng bo'ladi:

$$\sigma_i = \sigma_n + \sigma_p = qn_i(u_n + u_p) \quad (17)$$

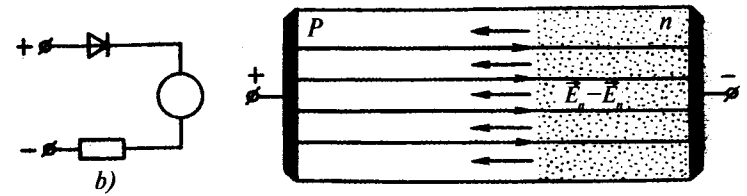
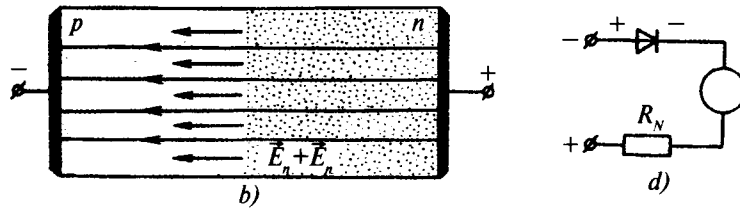
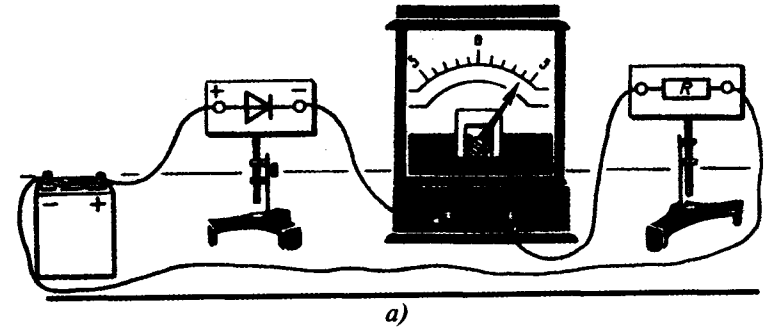
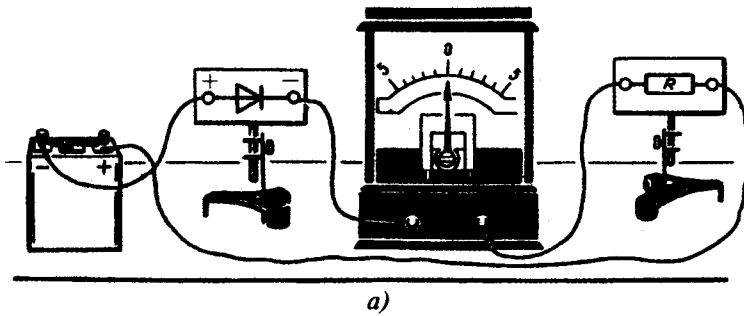
Aralashmali o'tkazuvchanlik



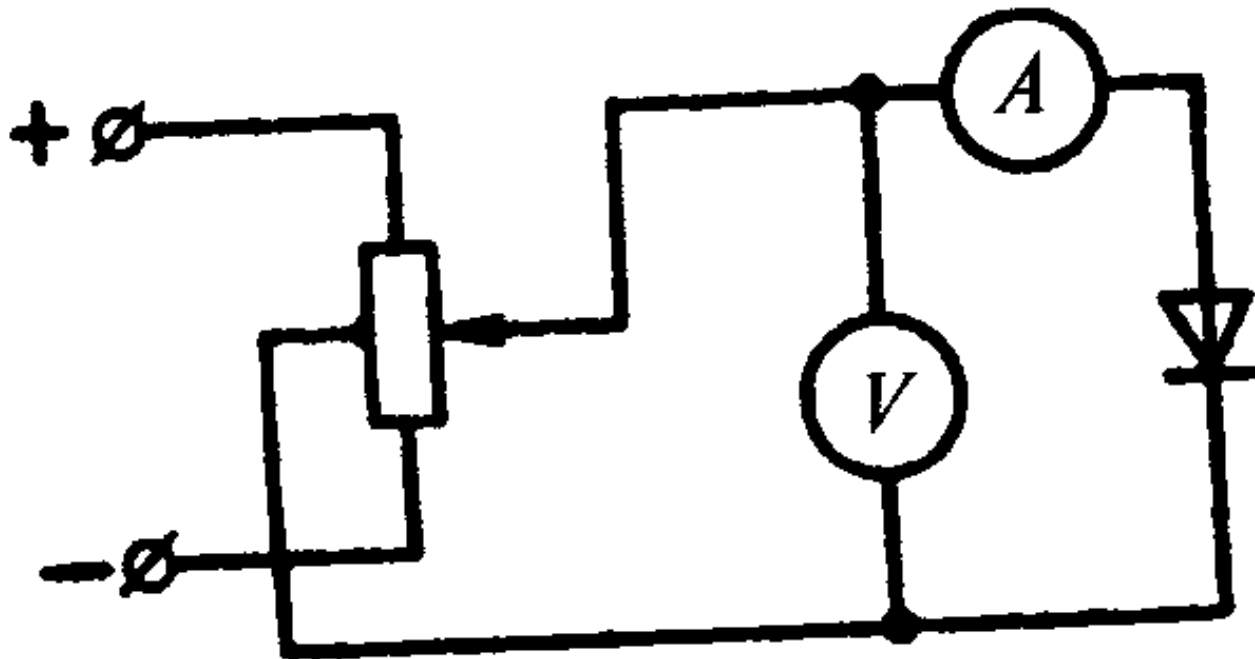




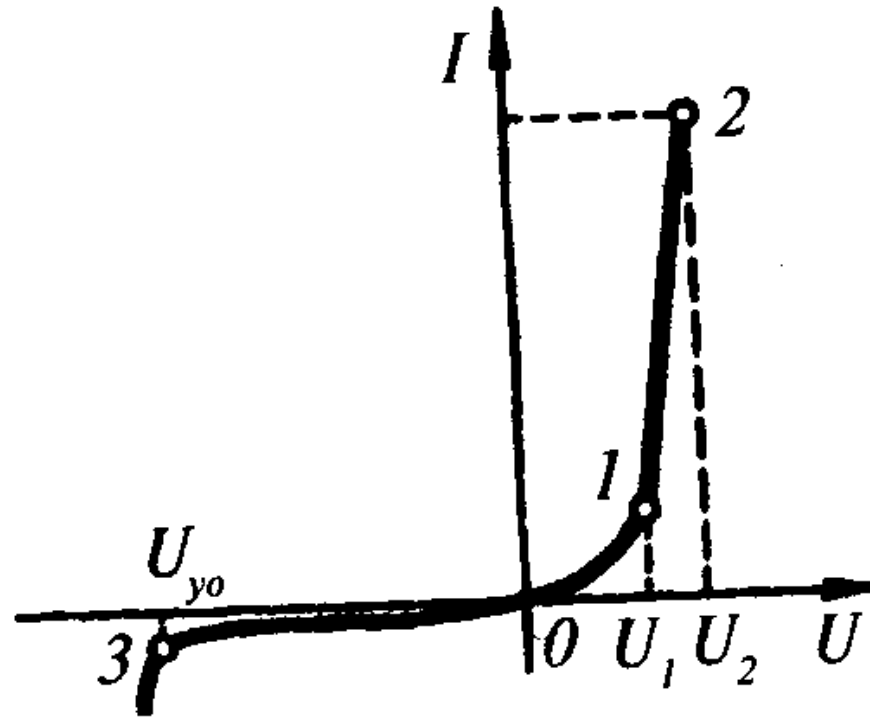
Yarim o'tkazgichni to'g'ri va teskari ulash



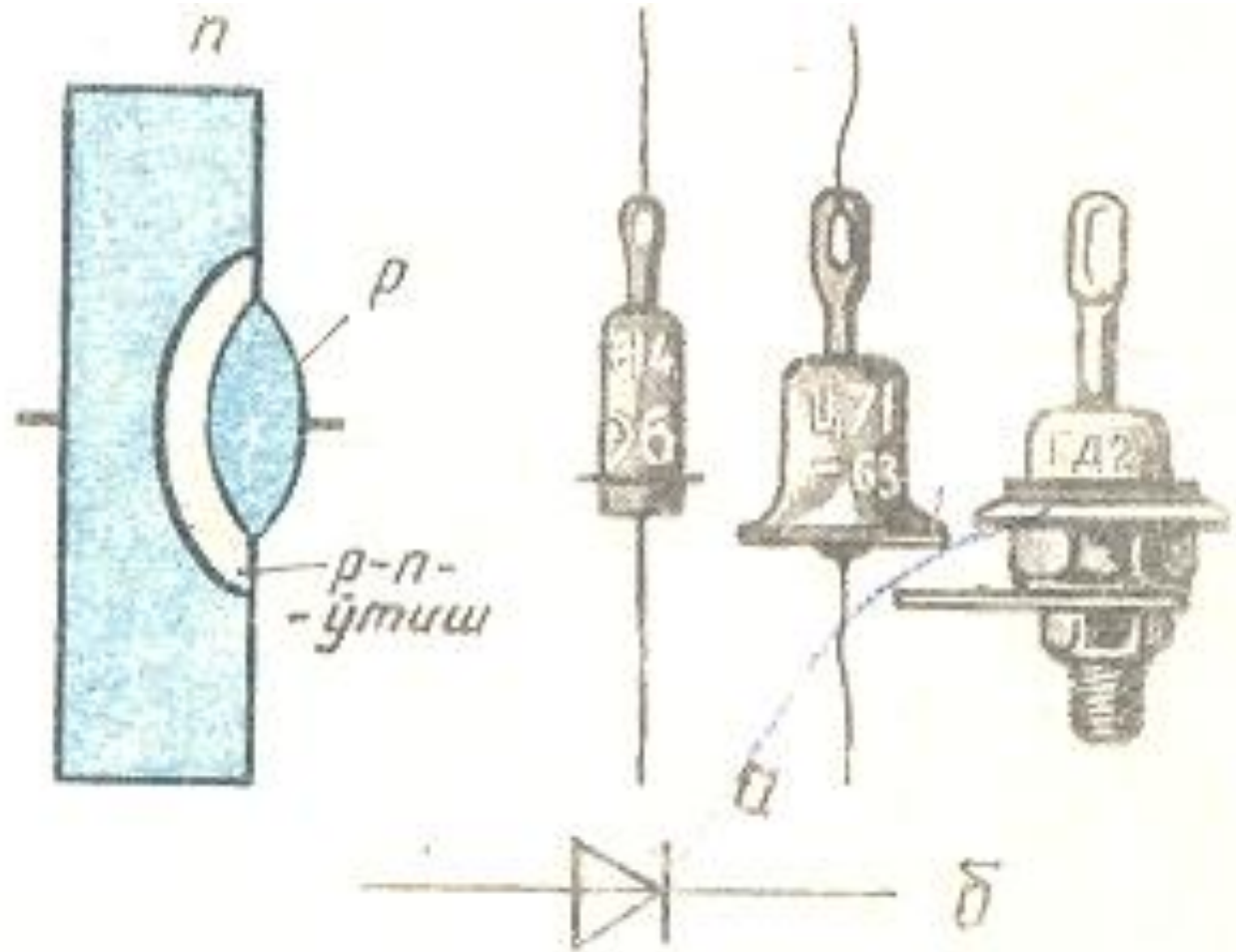
Diodning ulanish sxemasi



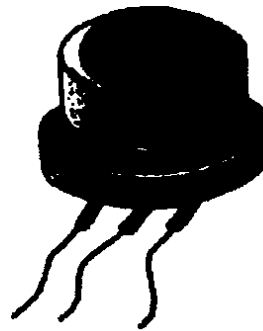
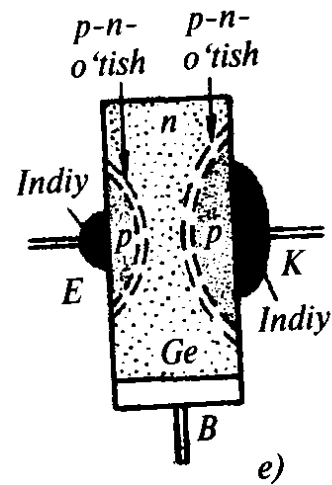
Volt –Amper karakteristikasi



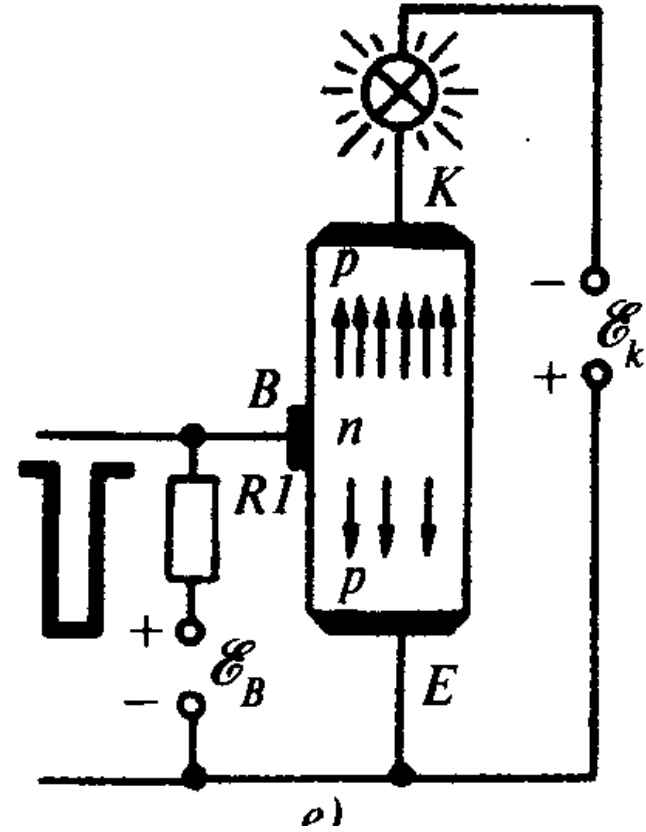
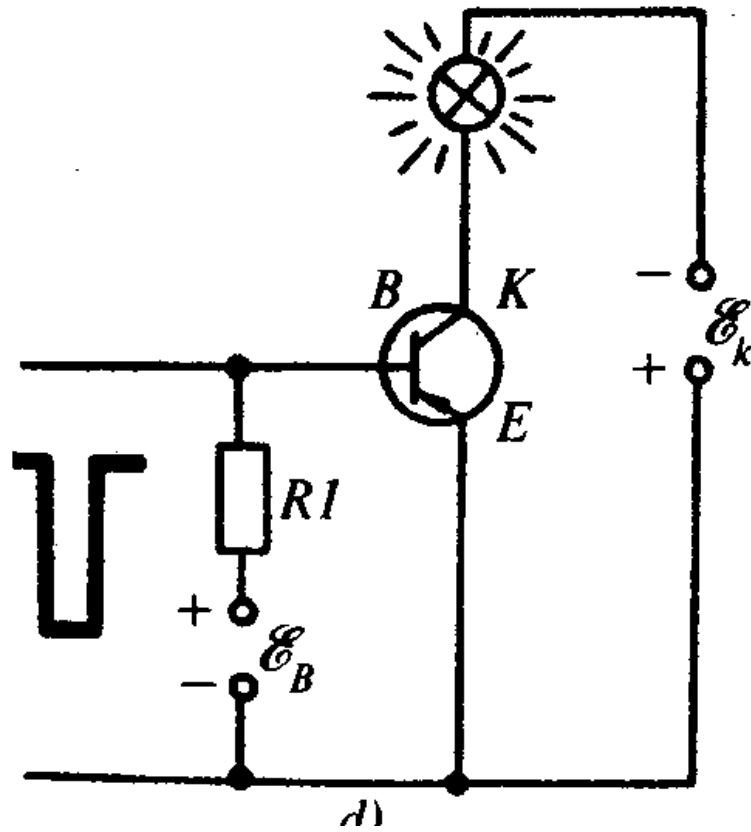
Yarim o'tkazgichli diod ko'rinishi



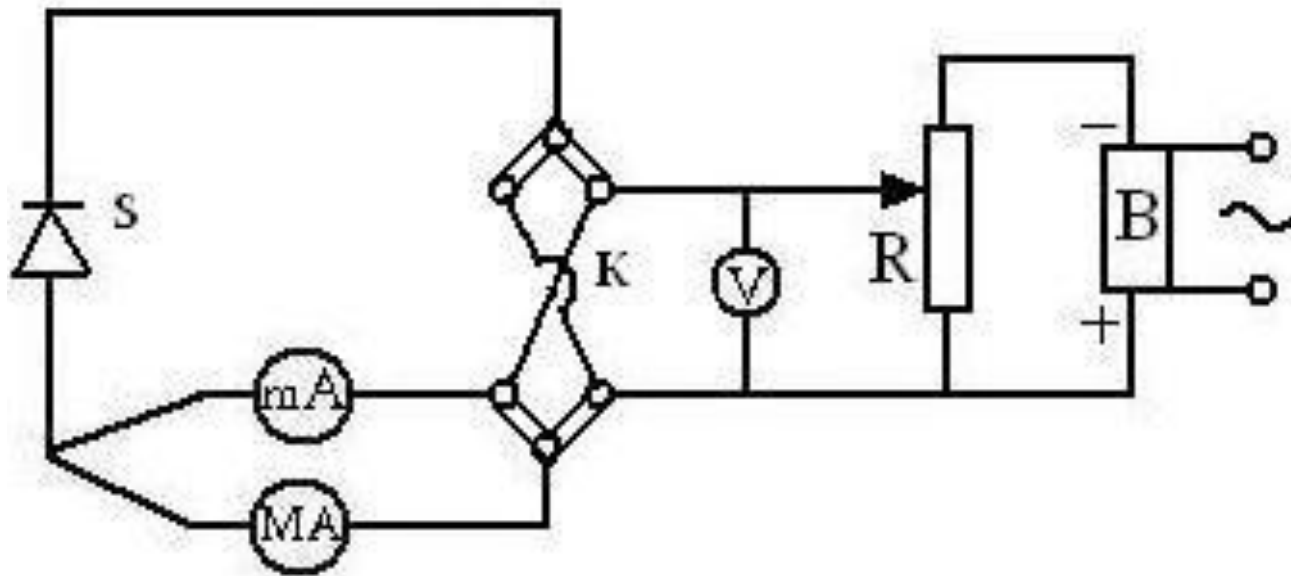
Tranzistorning ko'rinishi



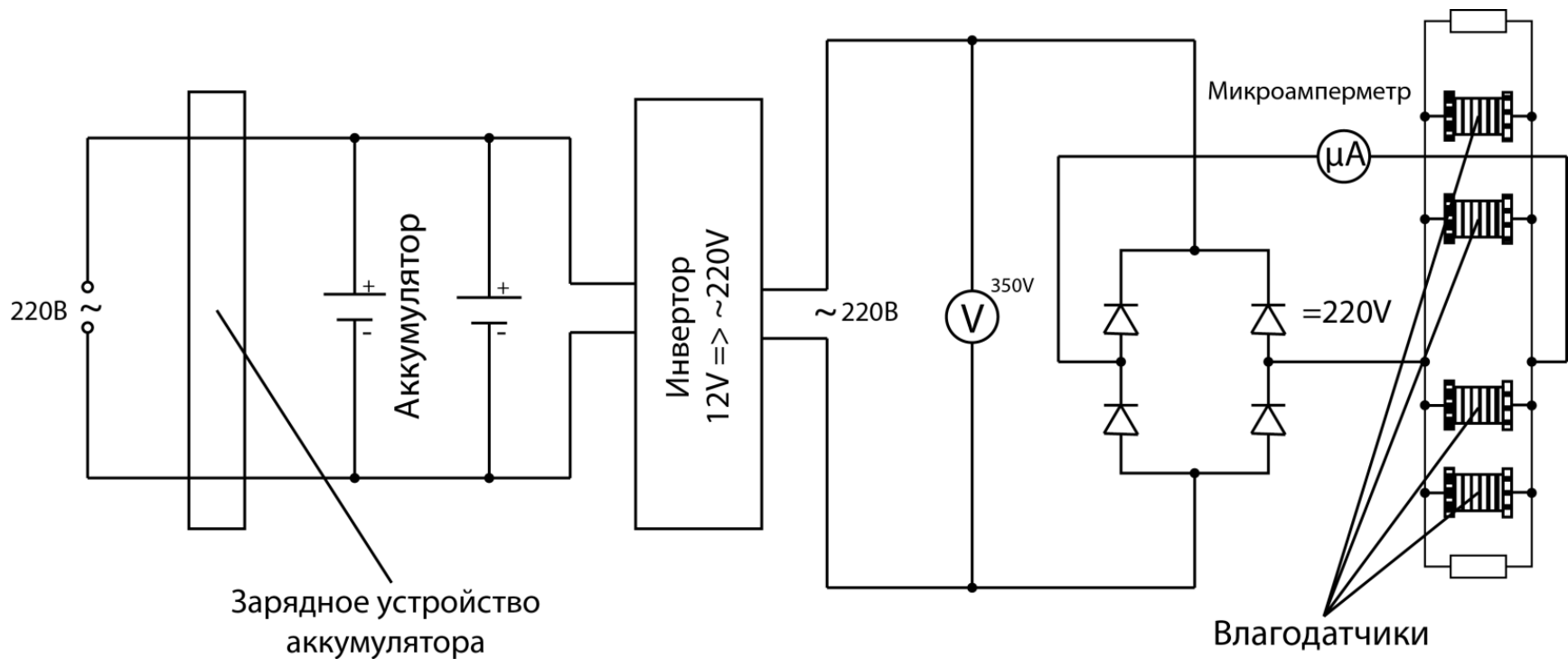
Tranzistorning ulanishi



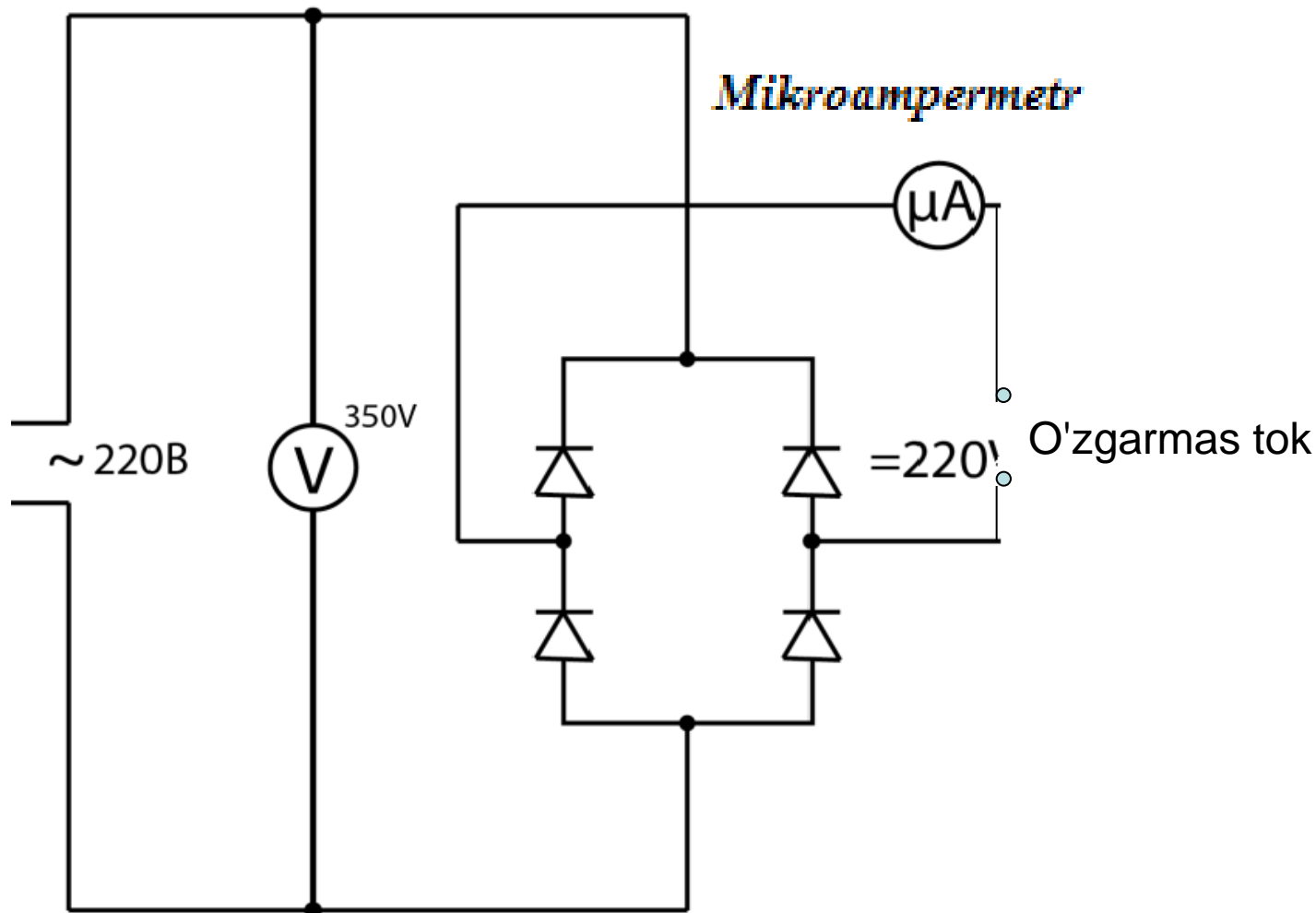
Diodni ulanish sxemasi



Diodni ulanish sxemasi



Diodni ulanish sxemasi



Aynimagan elektron gazi uchun

$$U \approx T^{-\frac{3}{2}}$$

shartni hisobga olib va (15) ifodadan foydalanib, xususiy yarim o'tkazgichning o'tkazuvchanligi uchun quyidagicha formulani hosil qilamiz:

$$\sigma = \sigma_0 e^{-\frac{E_g}{2kT}} \quad (18)$$

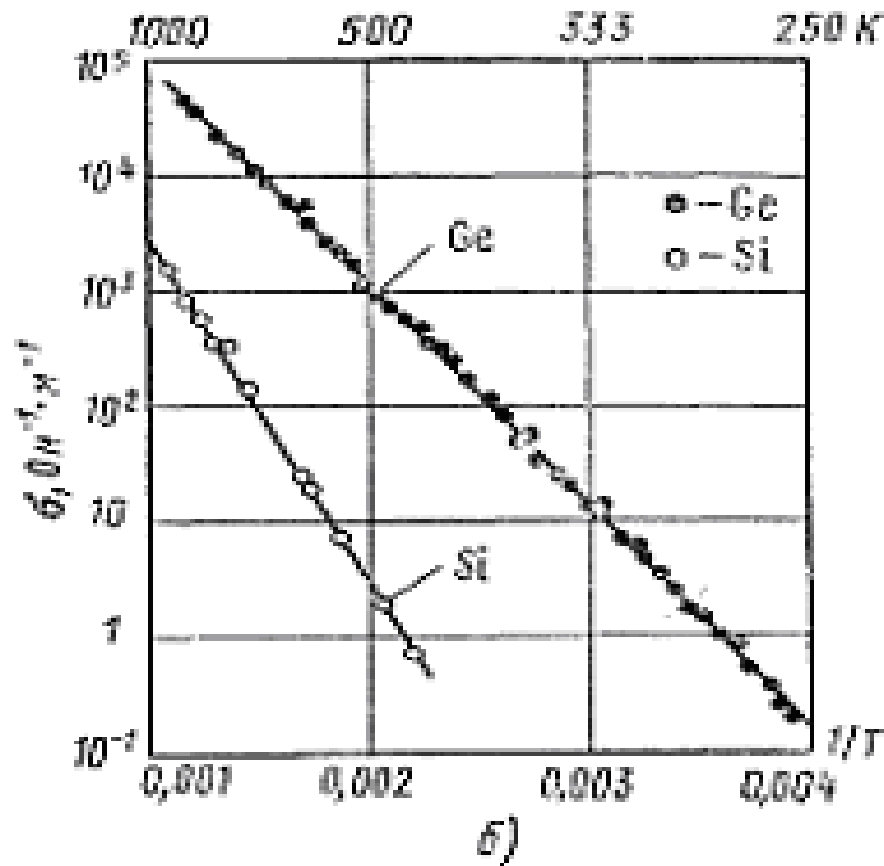
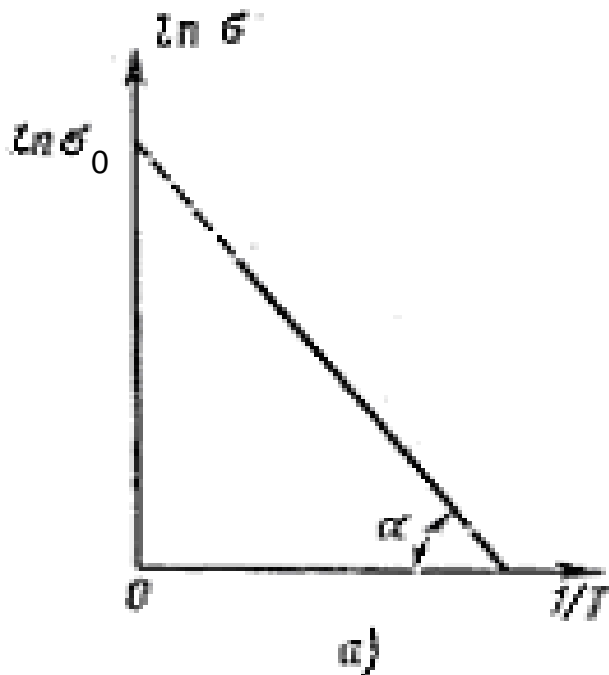
Bu ifodani yarim logarifmik masshtabda keltirish σ ning (T) ga qanday bog'liqligini yaqqol ko'rsatadi

$$\ln \sigma = \ln \sigma_0 - \frac{E_g}{2kT} \quad (19)$$

Bu bog'lanish rasmda ko'rsatilgan. Bu to'g'ri chiziqni abtsissa o'qi bilan kesishda hosil qilgan α -burchakning tangensi

$$\frac{E_g}{2k}$$

ga tengdir. Chiziqning ordinata o'qi bilan kesishgan nuqtasi $\ln \sigma_0$ doimiysini, α burchagi esa taqiqlangan soha kengligini $-(E_g)$ ni topish imkonini beradi.



Amaliyotda xam aynan shu usul bilan taqiqlangan soha kengligi – E_g topiladi. SHu usul bilan tajribada kremniy va germaniylarning taqiqlangan soha kengligi aniqlangan bo'lib quyidagi qiymatlarga tengdir:

$$E_g \Big|_{Si} = 1.12 \text{э}B$$

$$E_g \Big|_{Ge} = 0.75 \text{э}B$$

**Ma'ruzani tayyorlashda foydalanilgan dasturlar,
linklar va adabiyotlar**

- Microsoft Power Point**
 - Savelev I. V. Kurs fiziki. M.: Nauka
1989 t.2**
 - Epifanov G.I. Fizika tverdogo tela. M.
Visshaya shkola 1977.**
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