

Mavzu: KO'PBURChAKLAR

Reja:

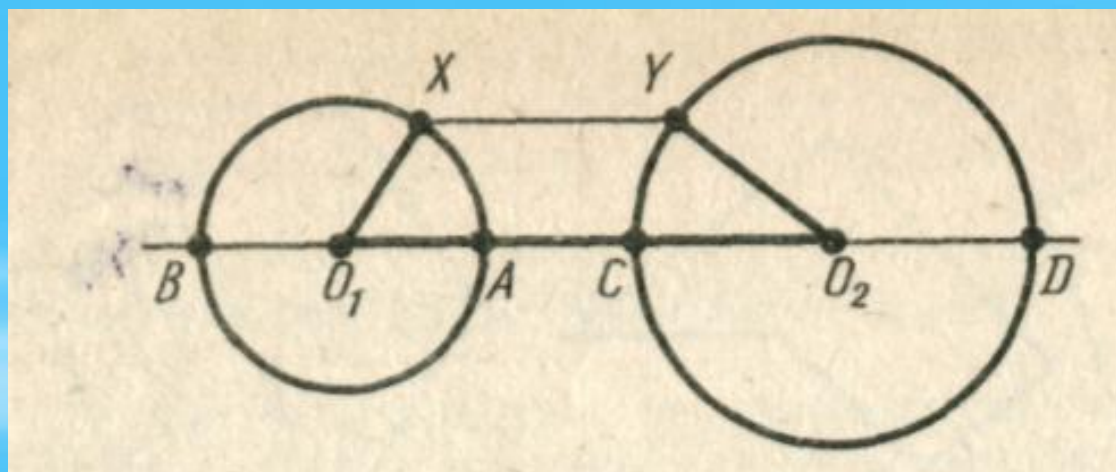
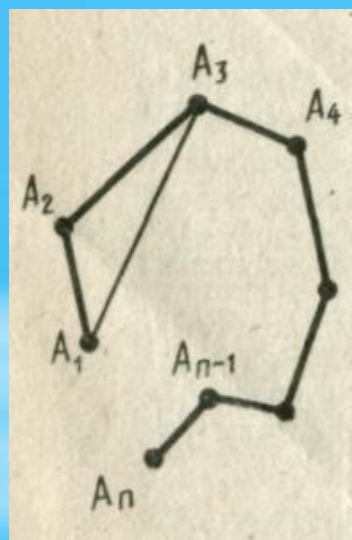
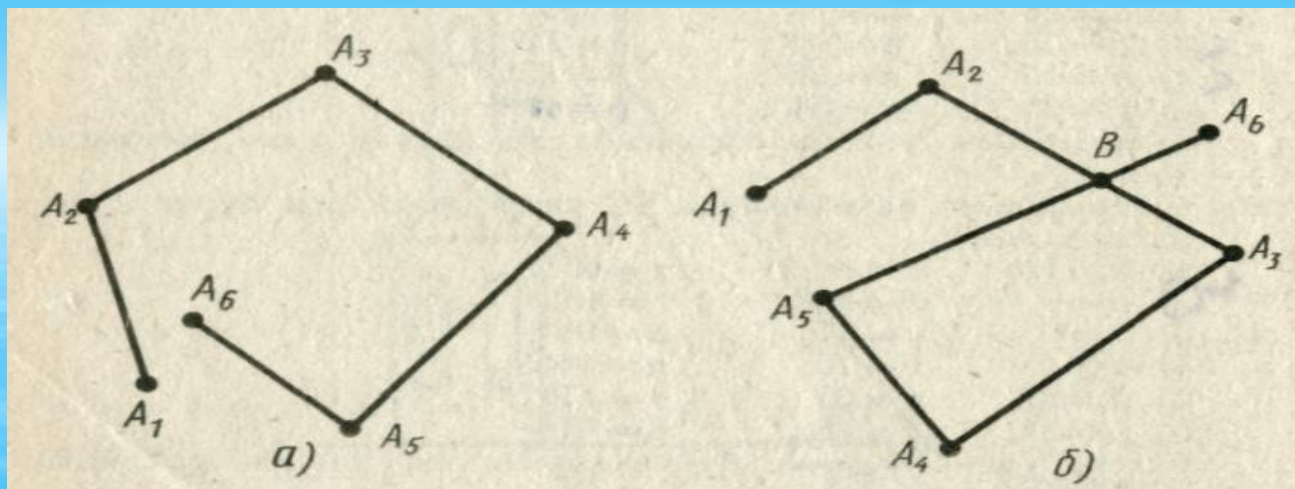
- 1. Ko'pburchaklar va siniq chiziq**
- 2. Qavariq ko'pburchaklar**
- 3. Muntazam ko'pburchaklar**
- 4. Muntazam qavariq ko'pburchaklarning
o'xshashligi**

KO'PBURChAKLAR

SINIQ ChIZIQ

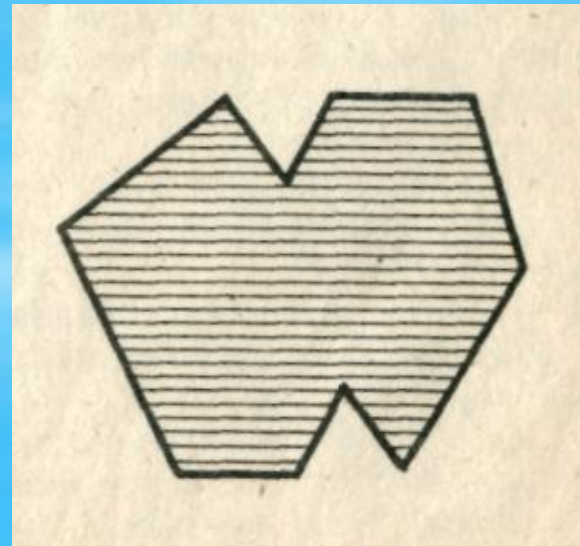
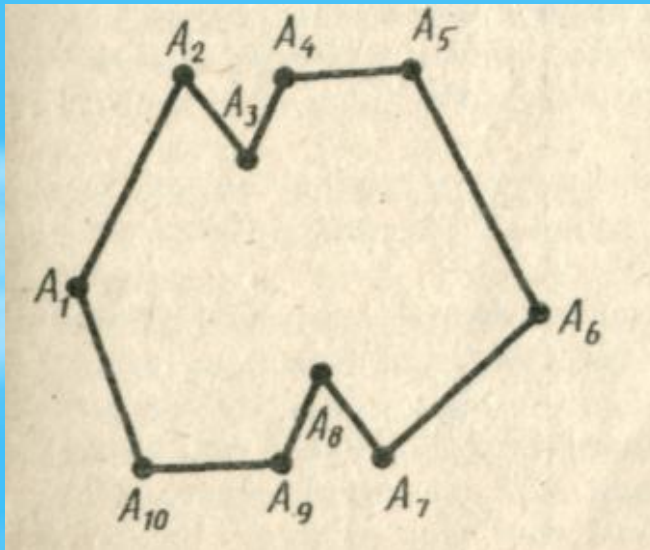
$A_1, A_2, \dots, A_n$ nuqtalardan va ularni tutashtiruvchi $A_1A_2, A_2A_3, \dots, A_{n-1}A_n$ kesmalardan iborat figura $A_1A_2A_3\dots A_n$ *siniq, chiziq*, deb ataladi. $A_1, A_2, \dots, A_n$ nuqtalar *siniq chiziqning uchlari* $A_1A_2, A_2A_3, \dots, A_{n-1}A_n$ kesmalar esa *siniq, chiziqning bo'g'inlari* deb ataladi. Agar *siniq chiziq o'z-o'zi bilan kesishmasa*, bunday *siniq chiziq sodda siniq, chiziq*, deyiladi. . 1-a rasmda sodda siniq chiziq, 1-b rasmda esa o'z-o'zi bilan kesishadigan (V nuqtada) *siniq chiziq* ko'rsatilgan. *Siniq chiziqning xamma bo'g'inlari uzunliklarining yig'indisi shu siniq, chiziqning uzunligi* deyiladi.

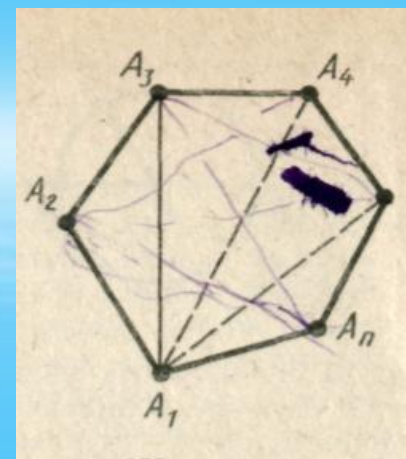
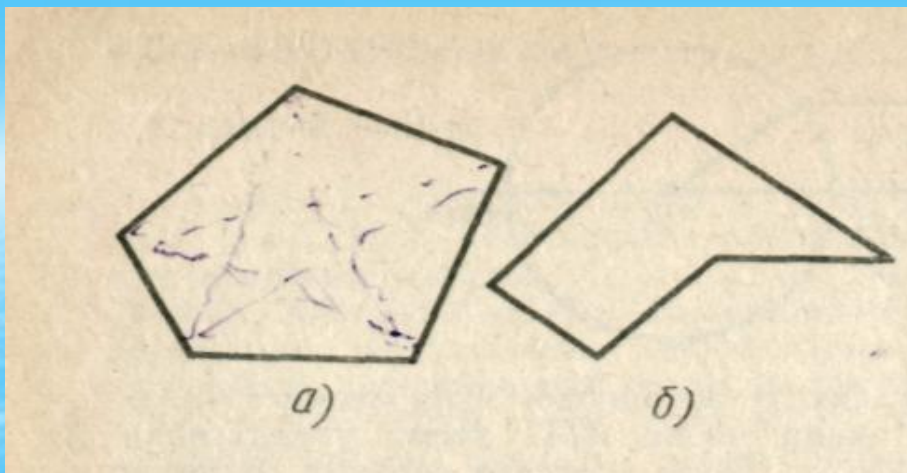
1- t e o r e m a. *Siniq chiziqning uzunligi uning oxirlarini tutashtiruvchi kesma uzunligidan kichik emas.*



QAVARIQ KO'PBURChAKLAR

Siniq chiziqning oxirlari ustma-ust tushsa, bunday siniq chiziq *yopiq*, deyiladi. Qo'shni bo'g'inlari bir to'g'ri chiziqda yotmagan sodda yopik siniq chiziq *kupburchak* deyiladi (rasm). Siniq chiziqning uchlari *kupburchakning uchlari*, siniq chiziqning bo'g'inlari *kupburchakning tomonlari* deb ataladi.





Ko'pburchakning qo'shni bo'lmagan uchlarini tutashtiruvchi kesmalar *kupburchakning diagonallari* deyiladi. p uchli kupburchak va shuning bilan birga p tomonli ko'pburchak p burchak deb ataladi (turtburchak, beshburchak,..).

Tekislikning ko'pburchak bilan chegaralangan chekli qismi *yasen kupburchak* yoki *ko'pburchakli soba* deyiladi.

Agar ko'pburchak tomonini o'z ichiga olgan ixtiyoriy to'g'ri chiziqqa nisbatan bitta yarim tekislikda yotsa, u *qavarik, ko'pburchak* deyiladi. Bunda to'g'ri chiziqning o'zi shu yarim tekislikka tegishli xisoblanadi. 2-a rasmda qavarik ko'pburchak, 2-b rasmda esa noqavarik ko'pburchak tasvirlangan. *Ko'pburchakning* berilgan uchidagi *burchagi* deb uning shu uchida uchrashuvchi tomonlari xoeyl kilgan burchakka aytiladi.

2- teorem a. *Qavarik, p burchak burchaklarining yigindi si $180^\circ(n - 2)$ ga teng.*

MUNTAZAM KO'PBURChAKLAR

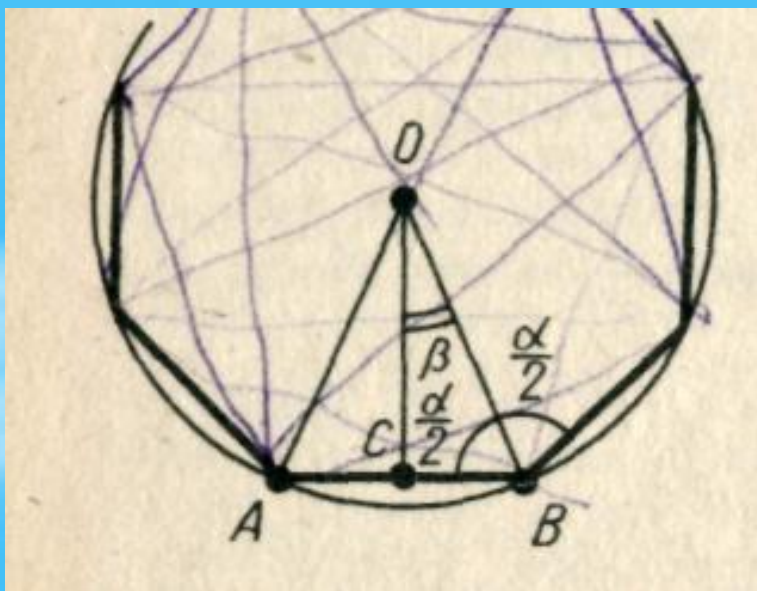
Xamma tomonlari teng va xamma burchaklari teng bo'lgan qavariq ko'pburchak *muntazam ko'pburchak* deyiladi.

Xamma uchlari biror aylanada yotgan ko'pburchak aylanaga *ichki chizilgan ko'pburchak* deyiladi. Xamma tomonlari biror aylanaga uringan ko'pburchak aylanaga *tashqi chizilgan ko'pburchak* deyiladi.

3- teorema. *Muntazam qayariq, ko'pburchak aylanaga ichki chizilgan $b\bar{o}'lishi$ va aylana $^{\alpha}$ ga tashqi chizilgan bo'lishi mumkin.*

MUNTAZAM KO'PBURChAKLARNING IChKI VA TASHQI ChIZILGAN AYLANALAR RADIUSLARI UChUN FORMULALAR

Tomoni a ga va tomonlarining soni p ga teng bo'lgan muntazam ko'pburchak uchun tashqi chizilgan aylananing R radiusini va ichki chizilgan aylananing r radiusini topamiz (3-rasm). Quidagilarga egamiz:



$$\beta = \frac{180^\circ}{n};$$
$$R = OB = \frac{CB}{\sin \beta} = \frac{a}{2 \sin \frac{180^\circ}{n}};$$
$$r = OC = \frac{CB}{\operatorname{tg} \beta} = \frac{a}{2 \operatorname{tg} \frac{180^\circ}{n}}.$$

Muntazam (teng tomonli) uchburchak uchun

$$R = \frac{a}{2\sin 60^\circ} = \frac{a}{\sqrt{3}}; \quad r = \frac{a}{2\operatorname{tg} 60^\circ} = \frac{a}{2\sqrt{3}}.$$

Muntazam to'rtburchak kvadrat) uchun

$$R = \frac{a}{2\sin 30^\circ} = a; \quad r = \frac{a}{2\operatorname{tg} 30^\circ} = \frac{a\sqrt{3}}{2}.$$

$$n = 4, \quad \beta = \frac{180^\circ}{4} = 45^\circ,$$

Muntazam oltiburchak uchun

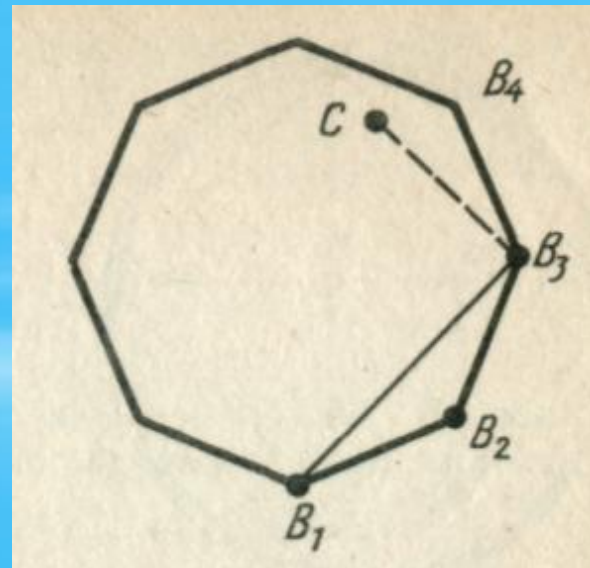
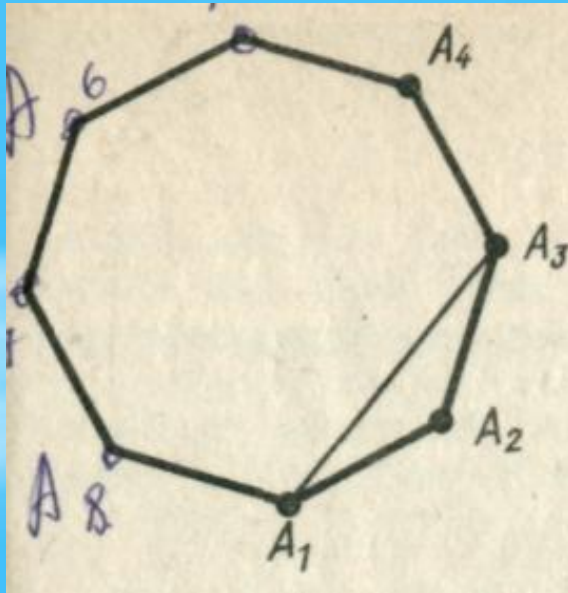
$$n = 6, \quad \beta = \frac{180^\circ}{6} = 30^\circ,$$

BA'ZI MUNTAZAM KO'PBURChAKLARNI YASASH

Aylanaga ichki chizilgan muntazam kupburchakni yasash uchun uning markaziy burchagini yasash etarli. Muntazam oltiburchak uchun bunday burchak $\frac{360^\circ}{6} = 60^\circ$ a teng. Shu sababli muntazam oltiburchakni yasash uchun uning aylanadagi bir uchini (A_1 ni) ixtiyoriy olamiz. Undan xuddi markazdan yolgandek aylana radiusiga teng radius bilan aylanadan bitta nuqtani belgilaymiz, bu A_2 nuqta bo'ladi (4-rasm). Shundan keyin boshqa $A_3 A_4 A_5 A_6$ uchlarni shunga o'xshash yasaymiz va ularni kesmalar bilan tutashtiramiz. Muntazam ichki chizilgan uchburchakni yasash uchun muntazam ichki chizilgan oltiburchakning tomonlarini bittadan oralatib birlashtirish etarli.

MUNTAZAM QAVARIQ KO'PBURChAKLARNING O'XShAShLIGI

4-teorema. *Muntazam qavariq p burchaklar o'xhash. Xususan, agar ularning tomonlari bir xil bo'lsa, ular teng bo'ladi.*



E'tiboringiz

uchun

rahmat