

# Exercise No. 1

## Water supply

### Water requirements planning

### Dimensioning of wells

## Institute for Sanitary Engineering and Waste Management

(ISAH - Institut für Siedlungswasserwirtschaft und Abfalltechnik, Hannover)

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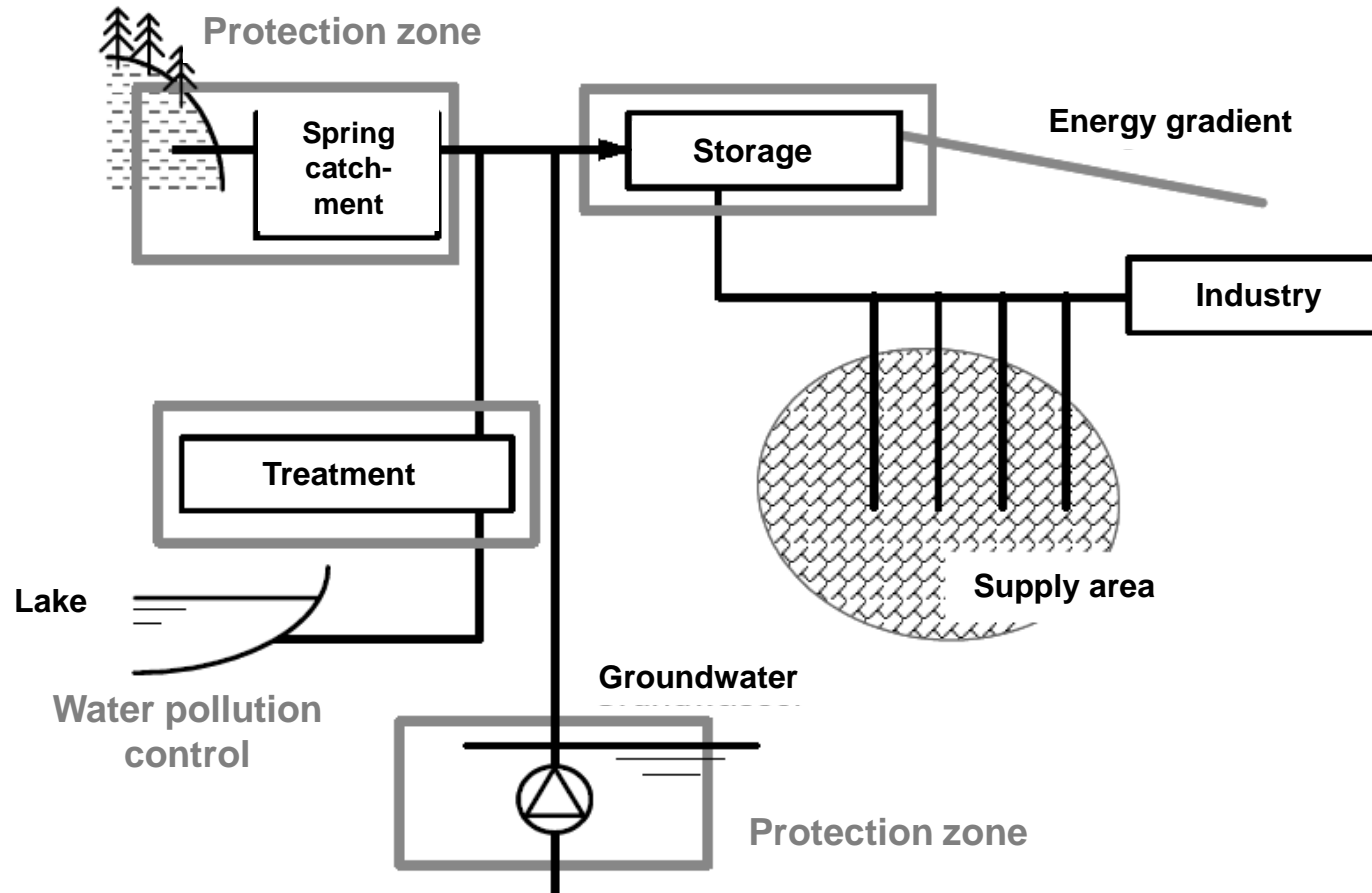
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**Consultation hour:** Wednesday 13:00 to 15:00 pm  
Friday 09:30 to 10:30 am  
and according to prior agreement!

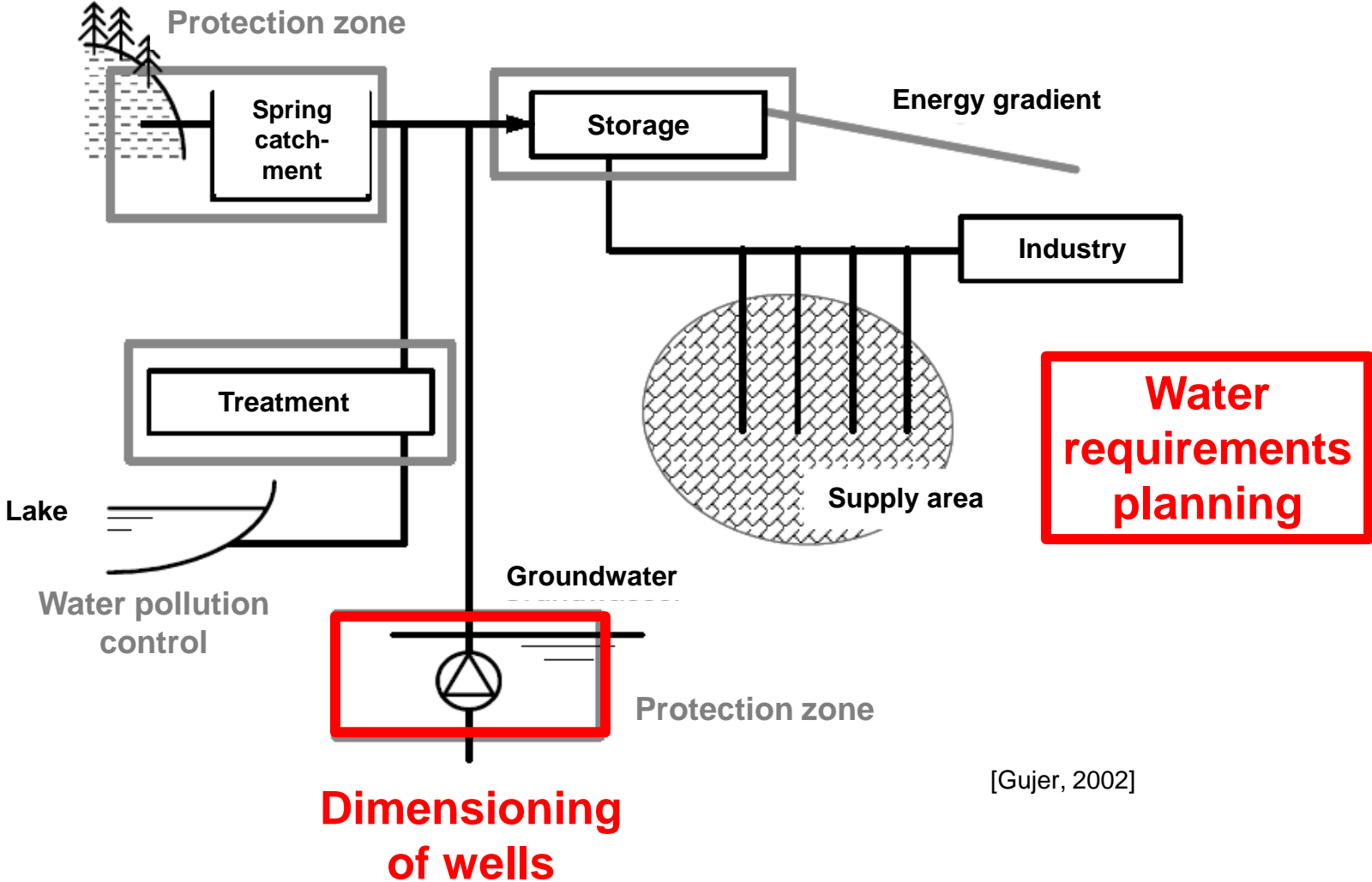
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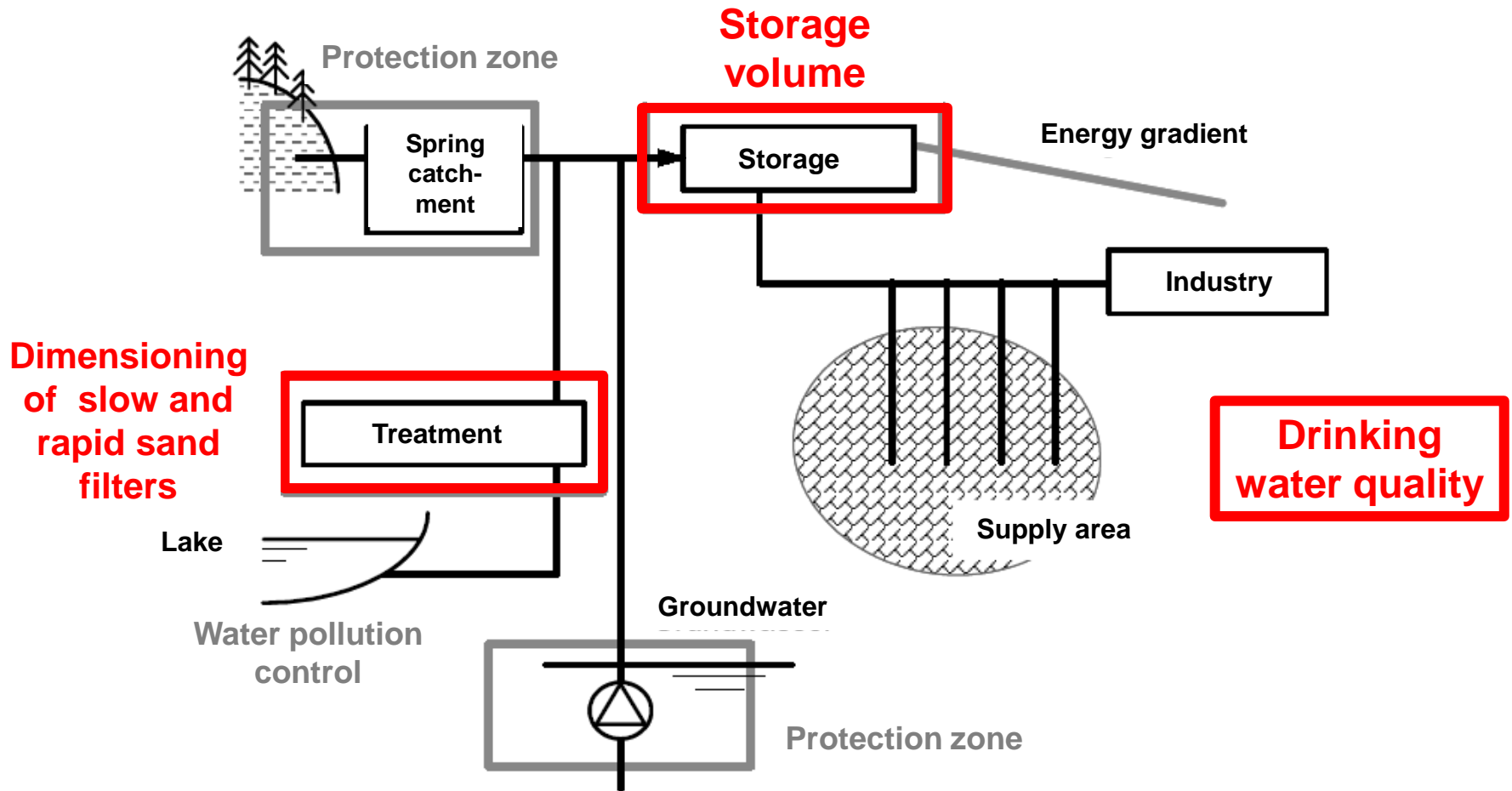


[Gujer, 2002]

# Exercise: Today



# Exercise: At a later date



[Gujer, 2002]

# Example 1: Water requirements planning I

## Given:

Total number of inhabitants: 50,000 inhabitants

Average water consumption per day: 130 L/(P · d)

Water losses and self-consumption of the water works (filter washing + pipe cleaning): 7 %

Precipitation:  $P = 650$  mm/a (average)

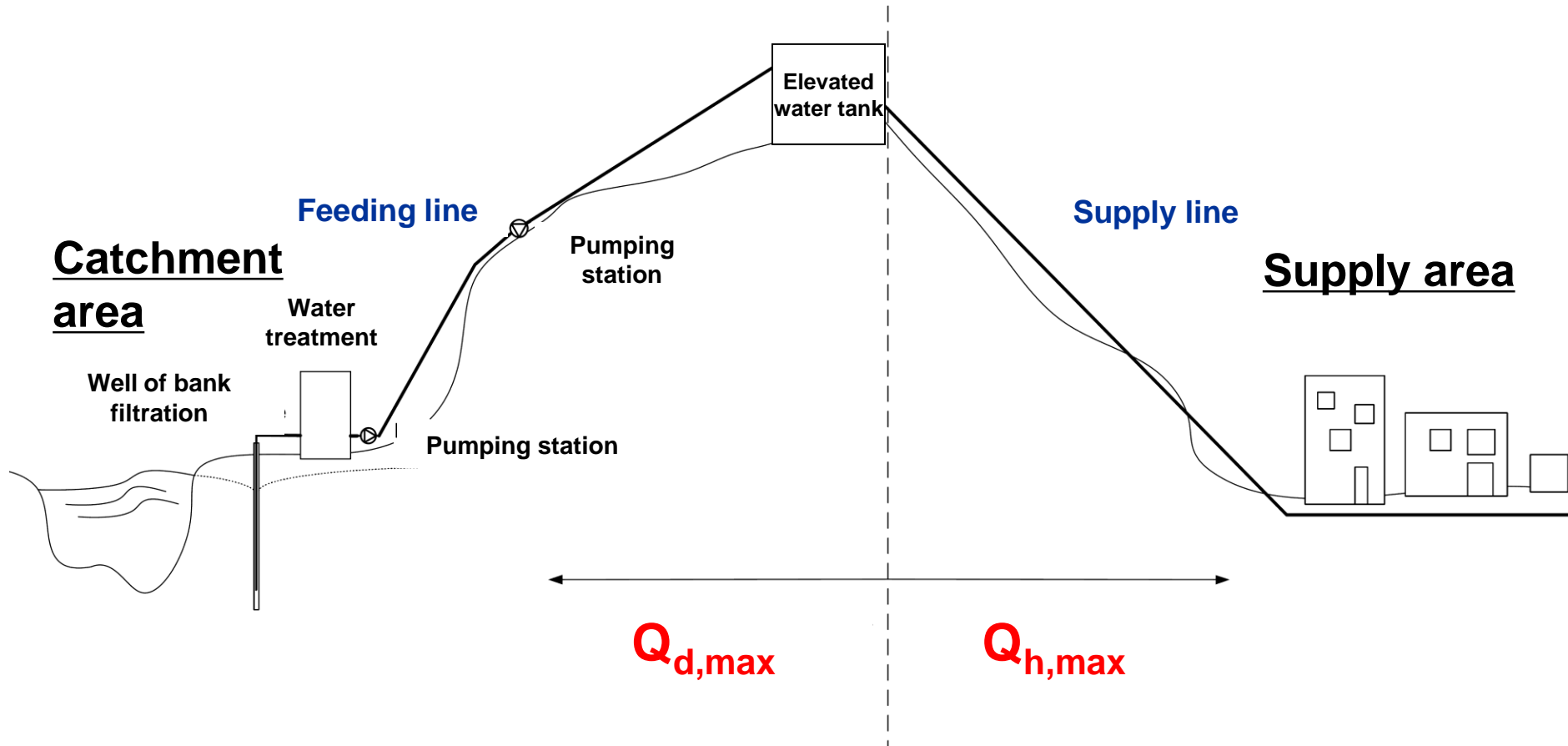
Evaporation:  $E = 400$  mm/a (average)

Surface (overland) runoff:  $Q_O = 100$  mm/a (average)

## Calculate:

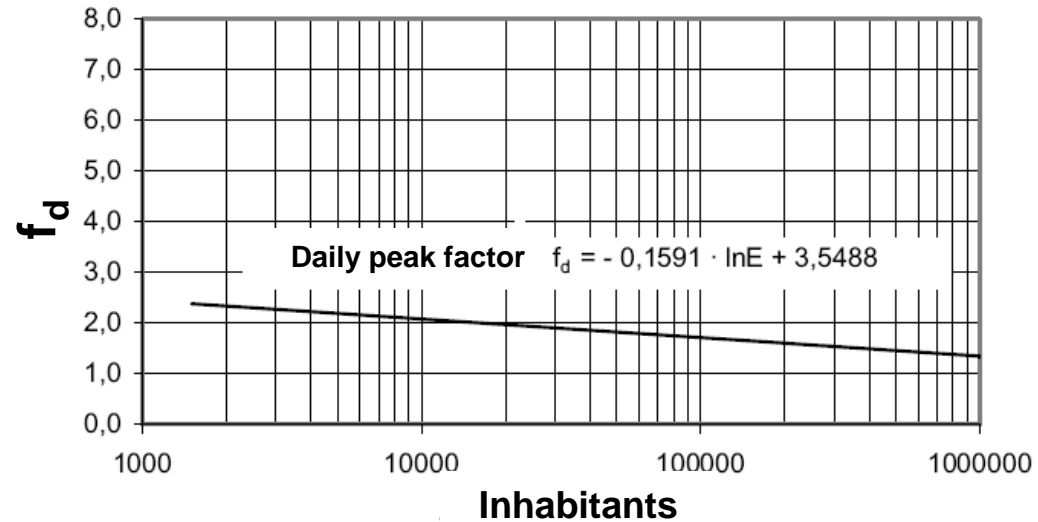
- a) Average annual water demand  $Q_a$  [m<sup>3</sup>/a]
- b) Maximum daily water demand  $Q_{d,max}$  [m<sup>3</sup>/d]
- c) Hourly water demand  $Q_h$  [m<sup>3</sup>/h]
- d) Needed area for recharge of groundwater [ha]

# Design values for water requirements planning

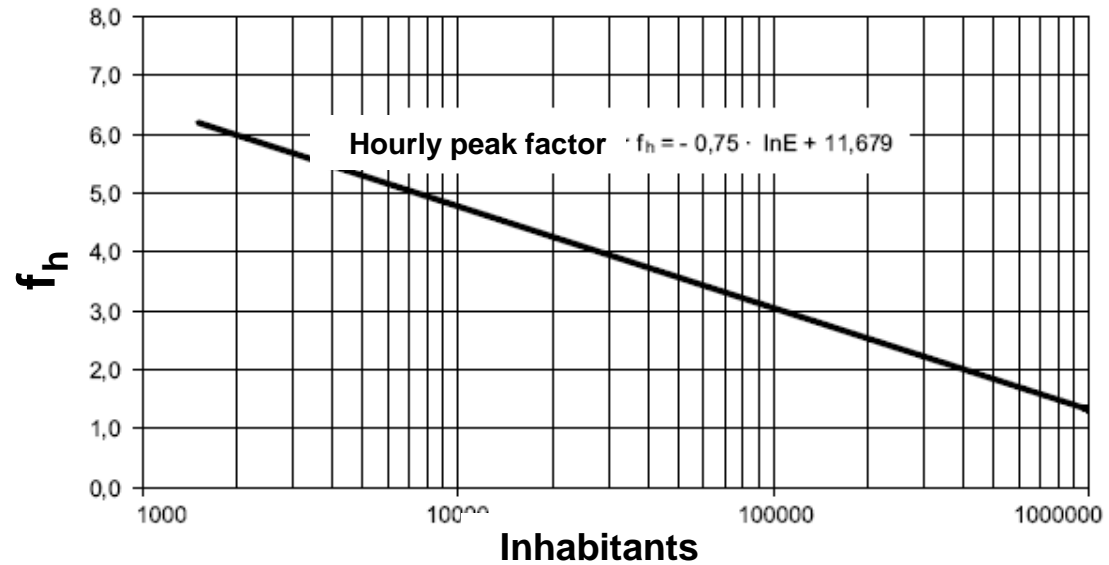




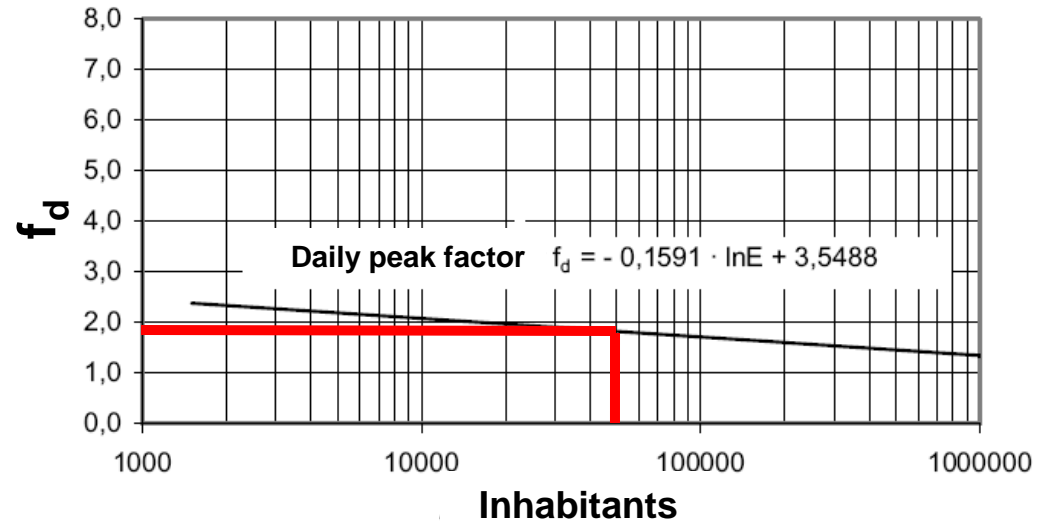
## Peak factor - daily



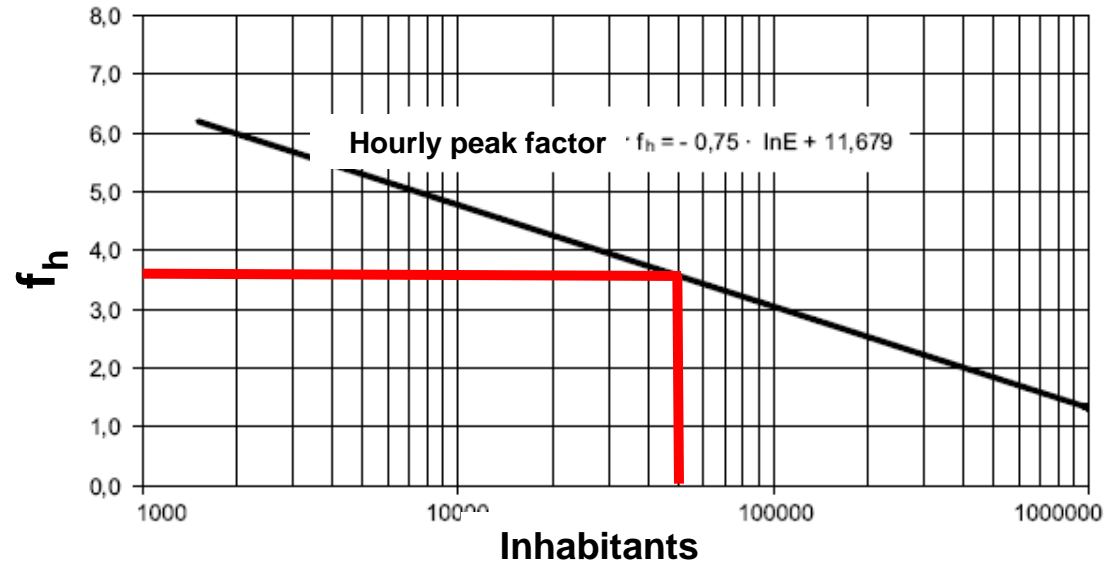
## Peak factor - hourly



## Peak factor - daily



## Peak factor - hourly









# Example 2: Water requirement planning II

## Given:

ISAH-Town:

<b>Household</b>	Old single- and double-family houses	5,500 inhabitants
	New single-family terrace houses, multi-storey houses	10,000 inhabitants
	Buildings with comfort apartments	2,500 inhabitants
	Modern mansions in best residential area	100 inhabitants
<b>Small trade</b>	1 Bakery	10 employees
	1 Butcher	15 employees
<b>Agriculture</b>	Cattle	50

## Calculate:

Calculate the average and maximum daily water demand of ISAH-Town using the individual requirement calculation.

Neglect any water losses and self-consumption of the water works (filter washing + pipe cleaning)

# Average per consumption-unit

	Consumers	Unit	Liter
<b>1.</b>	<b>Household, incl. small trade</b>		
<b>1.1</b>	<b>Household</b>		
	1. Old single- and double-family houses	$I/(P \cdot d)$	70
	2. Simple multi-family houses, year of constr. before 1940	$I/(P \cdot d)$	90
	3. Multi. storey houses with social apartments	$I/(P \cdot d)$	120
	4. New single-family terrace houses, multi-storey houses	$I/(P \cdot d)$	150
	5. Buildings with comfort apartments	$I/(P \cdot d)$	180
	6. Single- and double-family houses in good residential area	$I/(P \cdot d)$	200
	7. Modern mansions in best residential area	$I/(P \cdot d)$	275
<b>1.2</b>	<b>Small trade</b>		
	1. Baker, 1 Employee / 200 inhabitants	$I/(\text{Employee} \cdot d)$	150
	2. Confectioner, 1 Employee/ 1000 inhabitants	$I/(\text{Employee} \cdot d)$	200
	3. Butcher, 1 Employee / 300 inhabitants	$I/(\text{Employee} \cdot d)$	250
	4. Coiffeur, 1 Employee / 300 – 600 inhabitants	$I/(\text{Employee} \cdot d)$	200
	5. Car-wash	$I/\text{car}$	80
	6. Commercial enterprises	$I/(\text{Employee} \cdot d)$	250
	7. Restaurants	$I/((\text{Guest}+\text{Employee}) \cdot d)$	50
<b>1.3</b>	<b>Agriculture</b>		
	1. Cattle	$I/(\text{Cattle} \cdot d)$	50
	2. Cattle without litter	$I/(\text{Cattle} \cdot d)$	60
	3. Cattle with litter	$I/(\text{Cattle} \cdot d)$	75
	4. Small domestic animals (=1/5 cattle)	$I/\text{animal}$	1.5
	5. Milk collection station, per liter milk	$I/(\text{m}^2 \cdot d)$	1.0
	6. Intensive agricultural irrigation)	$I/(\text{m}^2 \cdot d)$	

[Mutschmann/Stimmellmayr, 1995]









# Example 3: Dimensioning of wells

## Given:

Hydrostatic level over groundwater bottom or thickness of water bearing layer:  $H = 20$  m

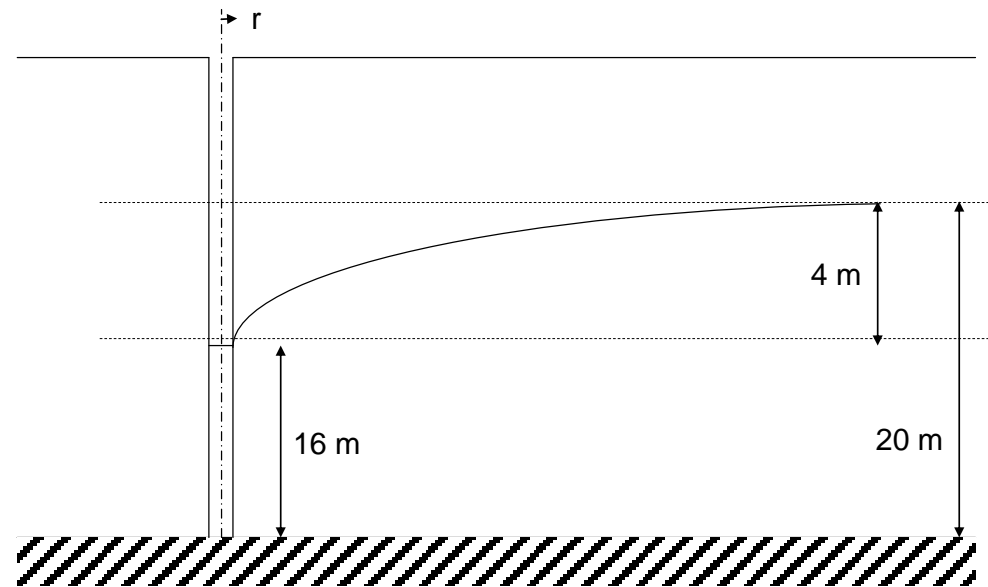
Lowered groundwater level in the well:  $h = 16$  m

Hydraulic conductivity (coefficient of permeability) (fine sand):  $k_f = 2 \cdot 10^{-4}$  m/s

Radius of the well:  $r = 0.15$  m

Draw-down:  $s = 4.0$  m

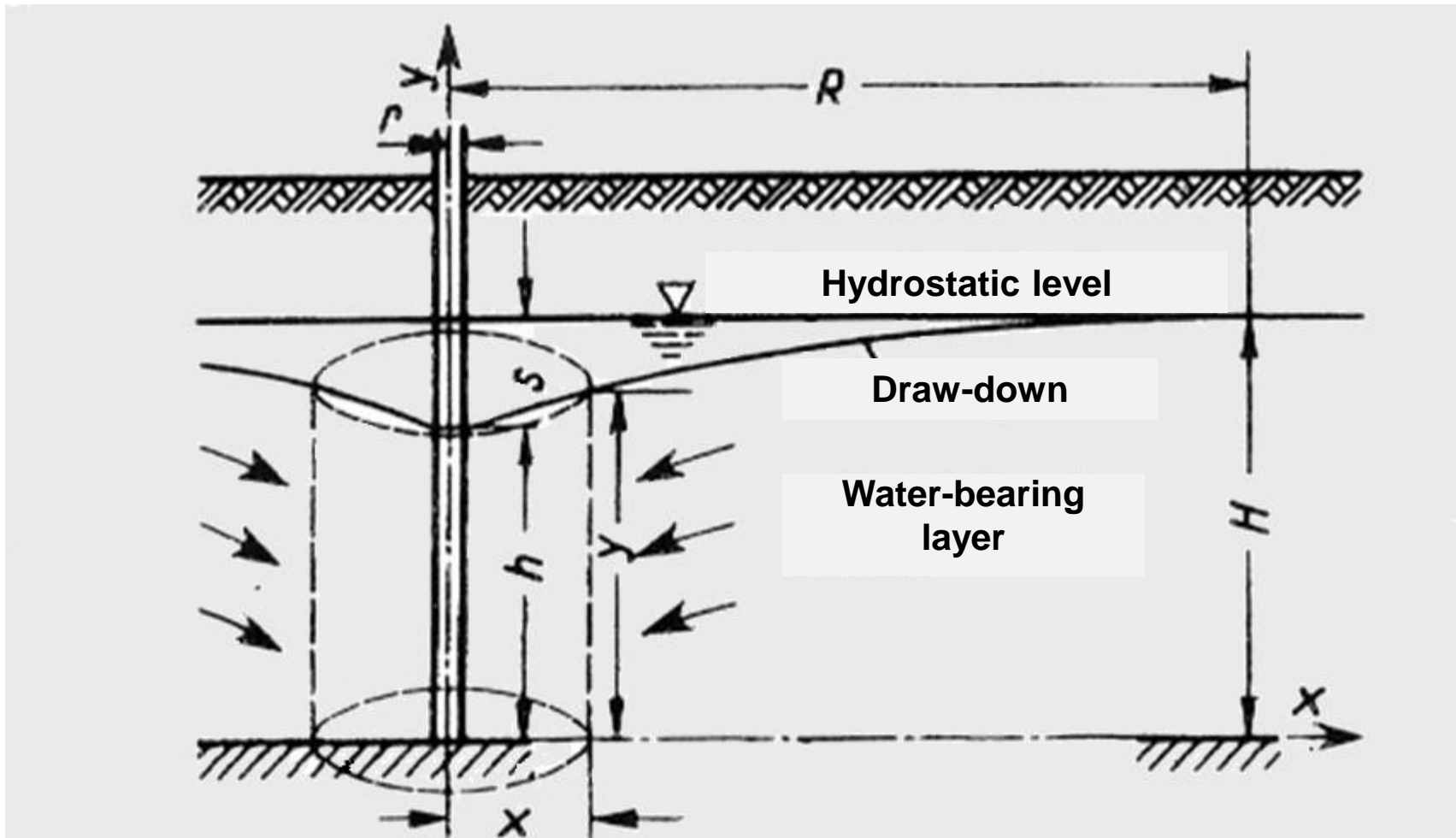
Water demand (see example No. 1)



## Calculate:

- Draw-down range  $R$  [m]
- Yield of the well (groundwater inflow)  $Q_{GW}$  [l/s;  $m^3/d$ ;  $m^3/s$ ]
- Capacity of the well (tangible water inflow)  $Q_t$  [l/s;  $m^3/d$ ]
- Number of needed wells  $n_{well}$  [-]
- Name the groundwater protection areas and their requirements

# Cross section: Vertical filter well



# Calculation formula: Dimensioning of a well

Draw-down range R according to SICHARDT:

$$R \cong 3000 \cdot s \cdot \sqrt{k_f}$$

with:

$k_f$ : Hydraulic conductivity (coefficient of permeability) [m/s]

s: Draw-down [m]

R: Draw-down range R according to SICHARDT [m]

Considering the continuity equation and the filter law of Darcy, the following equation results:

$$Q_{GW} = (H^2 - h^2) \frac{\pi \cdot k_f}{\ln(R/r)}$$

with:

$k_f$  Hydraulic conductivity (coefficient of permeability) [m/s]

$Q_{GW}$  Yield of the well (groundwater inflow) [m<sup>3</sup>/s]

$H$  Hydrostatic level over groundwater bottom or thickness of water bearing layer [m]

$h$  Lowered groundwater level in the well [m]

$R$  Draw-down range  $R$  according to Sichardt [m]

$r$  Radium of the well [m]

## Capacity of a vertical filter well (tangible water inflow):

$$Q_t = \frac{2}{15} \cdot \pi \cdot r \cdot h \cdot \sqrt{k_f}$$

with:

$k_f$  Hydraulic conductivity (coefficient of permeability) [m/s]

$Q_t$  Capacity of a vertical filter well (tangible water inflow) [m<sup>3</sup>/s]

$h$  Lowered groundwater level in the well [m]

$r$  Radium of the well [m]

# Maximum well capacity

Plot of the groundwater inflow  $Q_{GW}$  (theoretical well inflow) and the tangible water inflow  $Q_t$  as a function of the draw-down  $s$ .

- The **point of intersection** gives the maximum well capacity according to the maximum draw-down (in order to meet the requirements:  $Q_t \geq Q_{GW}$ )

s	R	$Q_{GW}$	$Q_t$
0	0	0	0.0178
1	42	0.0043	0.0169
2	85	0.0075	0.0160
3	127	0.0103	0.0152
4	170	0.0129	0.0143
5	212	0.0152	0.0134
6	255	0.0172	0.0125
7	297	0.0191	0.0116
8	339	0.0208	0.0107
9	382	0.0224	0.0098
10	424	0.0237	0.0089
11	467	0.0249	0.0080
12	509	0.0260	0.0071
13	552	0.0269	0.0062
14	594	0.0276	0.0053
15	636	0.0282	0.0045
17	721	0.0290	0.0027
18	764	0.0285	0.0018
20	849	0.0286	0,0000

